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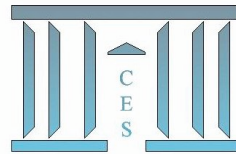
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**Ambiguity Preferences and Portfolio Choices:
Evidence from the Field**

Milo BIANCHI, Jean-Marc TALLON

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Ambiguity Preferences and Portfolio Choices: Evidence from the Field*

Milo Bianchi[†] Jean-Marc Tallon[‡]

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Abstract

We investigate the empirical relation between ambiguity aversion, risk aversion and portfolio choices. We match administrative panel data on portfolio choices with survey data on preferences over ambiguity and risk. We report three main findings. First, conditional on participation, ambiguity averse investors hold riskier portfolios. Second, they rebalance their portfolio in a contrarian direction relative to the market. Accordingly, their exposure to risk is more stable over time. Third, their portfolios experience higher returns, but they are also more sensitive to market trends. In several instances, the effects of ambiguity aversion stand in sharp contrast with those of risk aversion.

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1 Introduction

Households have to take more and more complex financial decisions, whose consequences are often difficult to predict (Ryan, Trumbull and Tufano (2011), Guiso and Sodini (2012)). Faced with such large uncertainty, households may not behave according to traditional expected utility theory. A large body of literature has developed alternative models of decision making centered on ambiguity -that is, in Knight (1921)'s words, unmeasurable uncertainty- as opposed to risk -that is, measurable uncertainty. Ambiguity has been proposed as a key element for explaining households' financial decisions and the functioning of financial markets, also in relation to recent financial crises.¹

This paper provides field evidence on the relation between ambiguity aversion and portfolio choices. While several laboratory experiments document the effects of ambiguity aversion, evidence from the field is much scarcer.² We exploit a unique data set in which administrative panel data on portfolio choices are matched with survey data on preferences over ambiguity and risk. Our aim is to document whether ambiguity aversion affects portfolio choices and whether this effect may differ, even qualitatively, from the one of risk aversion.

We focus on three fundamental aspects of portfolio choices: how much risk households take; how their risk exposure evolves over time through portfolio rebalancing (or lack thereof); and what is the performance of their portfolio. These aspects relate to some of the most important themes in the theoretical literature on portfolio choices under ambiguity. This literature provides (sometimes conflicting) testable predictions and suggests how portfolio choices may respond differently to attitudes towards ambiguity vs. risk.

Regarding risk taking, ambiguity aversion has been shown to limit participation in the stock market (Dow and Werlang (1992)). Conditional on participation, however, the relation between ambiguity aversion and risk taking could be positive or negative.³ As for rebalancing, a recent literature shows that ambiguity aversion may lead to forms of portfolio inertia

¹Some contributions on ambiguity and financial choices are discussed below. Epstein and Schneider (2010) and Guidolin and Rinaldi (2013) provide recent insightful reviews. On the role of ambiguity in financial crises, see e.g. Caballero and Krishnamurthy (2008) and Caballero and Simsek (2013).

²For a broad survey of the experimental literature on ambiguity aversion, see Trautmann and Van De Kuilen (2013). In particular, Ahn, Choi, Gale and Kariv (2007) study how ambiguity aversion affects portfolio choices and Bossaerts, Ghirardato, Guarnaschelli and Zame (2010) focus on its effects on asset prices. Later, we review some recent contributions drawing from field data.

³Uppal and Wang (2003) provide a model in which ambiguity aversion reinforces risk aversion; Klibanoff, Marinacci and Mukerji (2005) and Gollier (2011) report examples in which ambiguity aversion may increase risk taking.

in that households need not respond to news or to shocks to risk premia.⁴ Inertia affects the amount of information revealed by prices, as well as their level and volatility (Condie and Ganguli (2012)). Finally, alternative models have been proposed in which ambiguity aversion can either reduce or improve portfolio performance.⁵ Understanding performance is also important for the debate on the long run survival of ambiguity averse investors (see e.g. Condie (2008) and Guerdijkova and Sciubba (2012)).

In order to guide our empirical investigation, and organize some of these insights in a unified framework, we first develop a simple portfolio choice model with a riskless and a risky asset. Building on Epstein and Schneider (2010), we assume that both returns and variance of the risky asset are ambiguous: Investors know that higher returns are associated with higher variance, but they do not know the exact form of the trade-off. In line with some of the themes already outlined, we derive the following predictions. First, ambiguity averse investors are less likely to invest in the uncertain asset. At the same time, conditional on participation, ambiguity aversion may lead to higher risk taking in that it may induce investors to "underestimate" the variance of the returns. Third, ambiguity averse investors may be insensitive to small changes in risk premia and so their portfolios may display lower fluctuations over time.

Our empirical analysis is based on portfolio data obtained from a large insurance company in France. They focus on a popular investment product among French households dubbed *assurance vie*. In this product, households decide how to allocate their wealth between relatively safe vs. relatively risky assets, and they can freely change their allocation over time. Our data record the value and detailed composition of the clients' portfolio of contracts at a monthly frequency for about eight years. Moreover, for each contract, we can construct the corresponding market returns (using *Datastream*).

Clients were also asked to answer (online while on the phone with a surveyor) a survey that we have designed. The survey has two main purposes. First, while portfolio data only concern households' activities within the company, in the survey we gather a more complete picture of households' portfolios as well as of various socio-demographic data. Second, we elicit households' preferences over risk and ambiguity.

Following standard procedures, we build our main measure of risk aversion by asking subjects to choose between risky vs. safe lotteries. For ambiguity aversion, we ask subjects to choose between risky vs. ambiguous lotteries, that is between lotteries with known vs. unknown probability

⁴See e.g. Garlappi, Uppal and Wang (2007), Illeditsch (2011), Ganguli, Condie and Illeditsch (2012).

⁵In Uppal and Wang (2003) and Boyle, Garlappi, Uppal and Wang (2012), for example, ambiguity aversion may lead to under diversification and so reduce performance. In Garlappi et al. (2007), instead, ambiguity averse investors may experience higher performances.

distributions over the final payoffs. These lotteries were hypothetical and involved both gains and losses.⁶

We start by investigating static portfolio choices. We find only weak evidence that ambiguity aversion reduces the probability to hold *assurance vie* contracts containing risky assets (a form of participation in the stock market). At the same time, however, we find that conditional on participation ambiguity averse individuals tend to take *more* risk. Their contracts are 11% more likely to contain risky assets in a proportion exceeding the median in the sample. Put differently, their contracts display a 7% higher share of wealth invested in risky assets (relative to an average of 56%). This effect is robust as we employ alternative measures of risk taking. As in our model, ambiguity aversion may induce *higher* risk taking and so have a clearly distinct effect from that of risk aversion.

We then turn to the dynamics of households' portfolios. In particular, we focus on how households' exposure to risk, as measured by the share of risky assets in their portfolios, evolves over time. Using each contract's market returns, we can also distinguish changes in risk exposure which are driven by differential market returns of risky vs. riskless assets from those which result from an active choice of the household (as in Calvet, Campbell and Sodini (2009)).

We show that ambiguity averse investors tend to keep their risk exposure relatively constant over time. Their contracts are 7% less likely to experience monthly fluctuations which exceed the median in the sample. Moreover, they tend to rebalance their portfolio in a contrarian direction relative to the market. Specifically, ambiguity averse individuals are about 2% less likely to chase returns (that is, to move wealth from assets which have performed relatively poorly to assets which have performed relatively well in their portfolios), relative to an average of 43%. These results are unaffected by the inclusion of measures of market experiences (such as trends in own portfolio returns) which may affect households' expectations.

Our third set of results concern the performance of these portfolios. We find no evidence that ambiguity aversion induces suboptimal portfolio choices. Instead, ambiguity averse investors experience about 0.014% higher returns per month (relative to an average of 0.36%). The difference remains significant if we control for the riskiness of the contract, and it becomes larger if we restrict to risky contracts. At the same time, conditional on risk taking, their returns are more exposed to market trends. In particular, relative to ambiguity neutral investors, their monthly returns are 0.2% *higher* in good times and 0.13% *lower* in bad times.

Finally, we perform some robustness checks. We investigate whether our

⁶We have also elicited preferences through other questions, and the consistency of the various measures turned out to be good. Moreover, we find no strong (if anything, negative) correlation between ambiguity aversion and risk aversion, which suggests that the two variables reflect different individual traits. We refer to Section 3 for details.

estimates may be driven by omitted behavioral characteristics, and show that the effects of ambiguity aversion are robust to the inclusion of measures of investors' sophistication, confidence, and time preferences. We also shed some light on whether our findings appear representative of households' behaviors in their broader portfolio. We show that our results hold (they are sometimes stronger) for clients with a large fraction of wealth invested in the company, for which the observed portfolio is probably more representative of the overall portfolio.

In the next sections, we further discuss each of these findings as well as their relation with the existing literature. Already at this stage, however, we wish to highlight some of their implications from a somewhat broader perspective. First, our results show that measures of preferences as elicited in surveys can be informative about choices made in the real world. We find it remarkable that these measures show some predictive power in a context like portfolio choices in which heterogeneity is large and often difficult to explain with standard observables.

Moreover, we believe that our results are strongly suggestive that ambiguity and risk are fundamentally distinct objects, not only conceptually but also from an empirical viewpoint. In several instances, ambiguity aversion displays opposite effects than risk aversion. In our view, this provides support to the view that ambiguity aversion cannot be reduced to an additional source of aversion to risk.

The paper proceeds as follows. In the next subsection, we review our contribution in relation to the existing literature. A model is provided in Section 2. In Section 3, we present the data. In Section 4, we describe our method for eliciting ambiguity and risk preferences and provide some descriptive statistics on their determinants. Our main results on portfolio choices appear in Section 5. In Section 6, we discuss robustness checks. We conclude in Section 7. A detailed description of our variables, figures and tables are in the Appendix.

1.1 Literature

To our knowledge, this study is the first to provide evidence on the effect of ambiguity aversion on financial decisions as observed in administrative data. As such, it contributes to two streams of literature. First, we relate to the household finance literature by looking at the determinants of households' financial decisions. The literature is growing rapidly and we refer to Campbell (2006) and Guiso and Sodini (2012) for excellent recent surveys. Compared to this literature, our main novelty is in matching survey and administrative data. While as pointed out this does not provide a detailed picture of the entire households' portfolios (as for example in Calvet, Campbell and Sodini (2007) and Calvet et al. (2009)), it offers the opportunity to study the relation between behavioral traits and real choices. This seems

to accommodate (some of) the *desiderata* expressed in Campbell, Jackson, Madrian and Tufano (2011).⁷

We know of only a few studies combining survey and administrative data. Dorn and Huberman (2005) focus on the relation between risk aversion, (perceived) financial sophistication and portfolio choices; Alvarez, Guiso and Lippi (2012) analyze the frequency with which investors observe and trade their portfolio; Guiso, Sapienza and Zingales (2013) and Hoffmann, Post and Pennings (2013) study how risk aversion has changed following the financial crisis; Bauer and Smeets (2014) and Riedl and Smeets (2014) investigate how social preferences affect socially responsible investments. None of these studies focuses on ambiguity preferences as we do.

Second, we contribute to the literature on ambiguity preferences. Models of ambiguity attitudes have flourished over the past two decades and we refer to Etner, Jeleva and Tallon (2012) for a recent review. As already mentioned in the Introduction, while these models have received considerable attention also in relation to financial decisions, empirical studies are quite scant.⁸

Most closely related to our study, Dimmock, Kouwenberg and Wakker (2013) and Dimmock, Kouwenberg, Mitchell and Peijnenburg (2013) exploit large representative surveys in which subjects are asked about their preferences as well as about their portfolio holdings. Dimmock, Kouwenberg and Wakker (2013) find no correlation between ambiguity aversion and stock market participation in a Dutch sample. Dimmock, Kouwenberg, Mitchell and Peijnenburg (2013) show that stock market participation as well as the share of the wealth invested in equity are negatively related to ambiguity aversion in the American Life Panel sample.

We share with these authors a similar methodology to elicit ambiguity aversion (but our subjects receive no monetary reward in relation to their choices) and a similar focus on the relation with financial choices. Their data are based on surveys, and they are larger in size and in scope. Our administrative data provide more details for the specific investment at study as well as a panel structure, which allows us to address different questions such as portfolio dynamics and performance.

2 Model

We first develop a simple model that highlights the various forces at work in portfolio choice under ambiguity. We build on a model presented in

⁷They report an "urgent need" for household-level field data which would provide better accuracy and granularity than standard surveys and which would be even more useful if matched with survey data on households' beliefs and objectives.

⁸Recent developments include Maccheroni, Marinacci and Ruffino (2013) on mean-variance preferences; Epstein and Ji (2013) and Lin and Riedel (2014) on dynamic portfolio choices; Collard, Mukerji, Sheppard and Tallon (2012) and Ju and Miao (2012) on the equity premium puzzle.

Epstein and Schneider (2010) in which ambiguity bears both on the mean and the variance of the asset returns. We extend it by considering general CRRA utility functions and introducing an explicit parameterization of the investor's attitudes towards ambiguity.

Consider an agent who has to allocate her initial wealth W_0 among two assets, one "safe" and one "ambiguous." She has a utility function over final wealth W_1 defined as

$$u(W_1) = \frac{W_1^{1-\gamma}}{1-\gamma},$$

where γ is the coefficient of constant relative risk aversion. She can choose to hold a fraction θ of her wealth in the ambiguous asset, and $(1-\theta)$ in the safe asset. The safe return is denoted R_f and $r_f = \log(1 + R_f)$.

The ambiguous return is denoted \tilde{R} , with $\tilde{r} = \log(1 + \tilde{R})$. The returns are known to be lognormally distributed (with mean r and variance σ^2) but the investor is uncertain of the "true" distribution. As in Epstein and Schneider (2010), uncertainty is described by a single parameter x , which affects positively both the mean and the variance of the returns. The investor knows that the ambiguous asset can have either low return and low volatility or high return and high volatility, but not the exact values. Specifically, mean returns are given by $r = \bar{r} + x$ and their variance by $\sigma^2 = \bar{\sigma}^2 + \eta x$, where η is a known positive parameter and x is an index of the ambiguity on the financial markets which takes value in an interval $[\underline{x}, \bar{x}]$.

We assume, in the spirit of Gajdos, Hayashi, Tallon and Vergnaud (2008), that the investor, facing this set of possible laws for the returns, considers that the "central" one, indexed by $\hat{x} = (\underline{x} + \bar{x})/2$, is more salient. She then wants to insure that her decision is "robust" to other distributions around this central one. Her concern for robustness, which we interpret as her ambiguity attitude, is captured by a parameter $\alpha \in [0, 1]$. When $\alpha = 0$, she just considers the central scenario and does not care for robustness. When $\alpha = 1$, she puts all the weight on the worst possible scenario.

Denoting $\underline{x}^\alpha = \alpha \underline{x} + (1-\alpha)\hat{x}$ and $\bar{x}^\alpha = \alpha \bar{x} + (1-\alpha)\hat{x}$, the maximization problem is thus:

$$\max_{\theta \in [0,1]} \min_{x \in [\underline{x}^\alpha, \bar{x}^\alpha]} E_x \frac{\tilde{W}_1^{1-\gamma}}{1-\gamma},$$

s.t. $\tilde{W}_1 = (\theta(\tilde{R} - R_f) + (1 + R_f))W_0$. Hence, taking logs and using the approximation of log returns on wealth developed by Campbell and Viceira (2002), the problem the decision maker has to solve is:

$$\max_{\theta \in [0,1]} \min_{x \in [\underline{x}^\alpha, \bar{x}^\alpha]} \theta(\bar{r} + x - r_f) + \frac{1}{2}\theta(\bar{\sigma}^2 + \eta x) - \frac{1}{2}\gamma\theta^2(\bar{\sigma}^2 + \eta x). \quad (1)$$

For a given x , we can define

$$\theta^*(x) = \frac{\bar{r} + x - r_f + \frac{1}{2}(\bar{\sigma}^2 + \eta x)}{\gamma(\bar{\sigma}^2 + \eta x)}, \quad (2)$$

that is the optimal share of the ambiguous asset when the return follows a log normal distribution of mean $\bar{r} + x$ and variance $\bar{\sigma}^2 + \eta x$. The expression corresponds to the standard mean-variance portfolio with the addition of one-half the variance at the numerator. As shown in Campbell and Viceira (2002), this term converts from log to simple returns. Here, the expected log return and variance include a term in x , which embodies ambiguity.

Notice that in our setting any realization of x has two opposite effects. A low x , for example, carries the good news that volatility is low and at the same time the bad news that mean returns are low. Whether good news or bad news prevail depends on the level of θ . When considering moderate exposure to risk, that is for $\theta < (2 + \eta)/\eta\gamma$, the utility of the decision maker is increasing in x and the worst scenario is a low x . According to (1), then, an ambiguity averse agent will optimize against the lower measure indexed by \underline{x}^α . Conversely, for positions larger than $(2 + \eta)/\eta\gamma$, the utility is decreasing in x and the ambiguity averse investor optimizes against the distribution indexed by \bar{x}^α .

When $\theta = (2 + \eta)/\eta\gamma$, the two effects exactly cancel out and the utility does not depend on x . Hence, in this setting, two portfolios can completely shield the decision maker from any ambiguity. First, as usual, the one with no ambiguous asset, $\theta = 0$. Second, the portfolio with $\theta = (2 + \eta)/\eta\gamma$, at which the trade-off between return and volatility does not depend on the ambiguity on these parameters. Away from these portfolios, the decision maker will bear some ambiguity.

We can then express more precisely how the optimal share $\theta^*(\alpha)$ varies depending on the excess returns $\bar{r} - r_f$. Define the cut-off values

$$r_0 = -\frac{1}{2}(\bar{\sigma}^2 + \eta\underline{x}^\alpha) - \underline{x}^\alpha; \quad r_1 = \left(\frac{1}{2} + \frac{2}{\eta}\right)\bar{\sigma}^2 + \left(1 + \frac{\eta}{2}\right)\underline{x}^\alpha;$$

$$r_2 = \left(\frac{1}{2} + \frac{2}{\eta}\right)\bar{\sigma}^2 + \left(1 + \frac{\eta}{2}\right)\bar{x}^\alpha,$$

where for any given α we have $r_0 \leq r_1 \leq r_2$. The optimal demand for the ambiguous assets is

$$\theta^*(\alpha) = \begin{cases} 0 & \text{if } \bar{r} - r_f \leq r_0 \\ \min(\theta^*(\underline{x}^\alpha), 1) & \text{if } r_0 \leq \bar{r} - r_f \leq r_1 \\ \min\left(\frac{2+\eta}{\eta\gamma}, 1\right) & \text{if } r_1 \leq \bar{r} - r_f \leq r_2 \\ \min(\theta^*(\bar{x}^\alpha), 1) & \text{if } \bar{r} - r_f \geq r_2. \end{cases}$$

In Figure 8.2, we illustrate the shape of $\theta^*(\alpha)$ as well as the comparative statics with respect to ambiguity aversion α . The demand of an ambiguity neutral investor corresponds to the circled line; an increase in α corresponds to the red dotted curve.

There are four regions to be considered. When excess returns are low, the optimal demand is exclusively composed of the safe asset and $\theta^*(\alpha) = 0$. The non-participation region increases in ambiguity aversion: The larger ambiguity aversion, the higher premium an investor requires in order to invest in the ambiguous asset. This is a well-known effect going back to Dow and Werlang (1992).

When returns are larger than r_0 , the demand $\theta^*(\alpha)$ is positive and depends on the perceived trade-off between risk and returns; that is, on which "as if" beliefs the investor uses. For relatively low excess return, the investor acts as if the process was governed by \underline{x}^α , i.e., low mean return and low volatility. This corresponds to the demand $\theta^*(\underline{x}^\alpha)$.

An important observation is that, for a range of returns (strictly) between r_0 and r_2 , the demand for the risky asset may actually increase in ambiguity aversion. The reason is that, as mentioned, considering the worst scenario induces to behave as if volatility was low. Hence, in a sense, ambiguity aversion induces investors to "underestimate" volatility and that increases their demand for the risky asset.

The possibility that ambiguity aversion may increase risk taking was already noticed in Klibanoff et al. (2005) and Gollier (2011). Our mechanism however is somewhat distinct and relies on the fact that ambiguity concerns both mean and variance of returns. We also notice that the region in which $\theta^*(\alpha)$ is higher for the ambiguity averse agent expands with ambiguity aversion.

The third region, $r_1 \leq \bar{r} - r_f \leq r_2$, corresponds to the case in which the demand does not vary with the risk premium. This implies a form of portfolio inertia, in that small shocks to risk premia do not affect investors' demand. Given that as argued a portfolio with $\theta = (2 + \eta)/\eta\gamma$ provides complete hedging against ambiguity, it takes a large shock to returns to induce an ambiguity averse investor to change her demand. Notice also that when $\alpha = 0$ (ambiguity neutrality), investors display no inertia and, more generally, the inertia region increases with the degree of ambiguity aversion. Inertia implies that, for more ambiguity averse investors, portfolios do not fluctuate much in response to shocks.

The possibility of portfolio inertia even at a non-zero ambiguous position was already shown in Epstein and Schneider (2010) and more generally in Illeditsch (2011). Related forms of portfolio inertia, driven by lack of response to news, appear in Garlappi et al. (2007) and Ganguli et al. (2012).

An important observation for our next empirical analysis is that, away from zero, portfolio inertia does not imply absence of rebalancing. On the contrary, it may require to continuously rebalance the portfolio so as to

compensate the fluctuations induced by the market. Suppose for example that realized returns of the ambiguous asset exceed risk-free returns; then, the fraction of wealth invested in ambiguous assets would mechanically increase. If the investor wishes to keep her risk exposure constant, she needs to reallocate wealth from the ambiguous to the riskless asset.

Finally, in the region where the mean excess return is $\bar{r} - r_f \geq r_2$, the investor acts as if the process is governed by \bar{x}^α , i.e., high mean return and high volatility. This leads to the demand $\theta^*(\bar{x}^\alpha)$, which decreases with α .

We summarize in the following points, which will serve as a guide for the next empirical analysis.⁹ According to our model:

- (i) Ambiguity aversion increases the non-participation region.
- (ii) Conditional on participation, the demand $\theta^*(\alpha)$ may increase or decrease with ambiguity aversion.
- (iii) Ambiguity averse investors are more likely to display portfolio inertia and lower fluctuations in their demand.

3 Data

We exploit three sources of data. First, we have obtained administrative data on portfolio choices from a large French insurance company. These data describe the value and the detailed composition of clients' holdings of *assurance vie* contracts. Despite their name, these are not insurance but investment products.¹⁰

Assurance vie contracts are widespread in France, they are the most common way through which households invest in the stock market.¹¹ Accordingly, our sample can be considered broadly representative of French households. For example, the median total wealth in our sample is between 225 and 300 thousand euros and the median financial wealth is between 16 and 50 thousands euros. These figures are in line with those obtained for the general French population (see Arrondel, Borgy and Savignac (2012)).¹²

⁹Notice that our model does not incorporate ambiguity lovers. Our qualitative predictions would not be changed by allowing for this possibility.

¹⁰The name is due to the fact that, for fiscal reasons, the contract is formally structured as an insurance in case of death coupled with an insurance in case of life. A specific feature of the product is that there is some incentive not to liquidate the contract before some time (8 years in our sample period) so as to take advantage of reduced taxes on capital gains.

¹¹According to the French National Institute for Statistics, 41% of French households held at least one of these contracts in 2010. This makes it the most widespread financial product after *Livret A*, a saving account whose returns are set by the state. See INSEE Premiere n. 1361 - July 2011 (<http://www.insee.fr/fr/ffc/ipweb/ip1361/ip1361.pdf>).

¹²For official and comprehensive data, see the 2010 Household Wealth Survey from the French National Institute for Statistics

A typical *assurance vie* contract establishes the types of funds in which the household wishes to invest and the amount of wealth allocated to each fund. A key distinction is between relatively safe vs. relatively risky funds. The first assets, which are called euro funds, are basically bundles of bonds. Their returns are rather stable and the capital invested is guaranteed by the company. In the sequel, we will simply refer to those as riskless assets.

The second funds are bundles of stocks, whose returns or capital is not guaranteed. The client can choose in some details the composition of their risky assets. In the sequel, we will simply refer to those as risky assets. Over time, clients are free to change the composition of their portfolios, make new investment and withdraw money as they wish. There are no restrictions in the number of contracts each household can have.

Specifically, our data record at a monthly frequency the activities in these contracts from September 2002 to April 2011. The sample includes 511 clients and 1357 contracts.¹³ These contracts can represent a sizeable fraction of households' financial wealth. In our sample, the average value of a contract is 16,900 euros, the maximum is 340,000 euros.

Our second source of data concerns market returns. As we have detailed information about the composition of each contract, we can look for the market returns experienced in a given month by each fund contained in the contract. We obtain these returns from *Thomson Reuters Datastream* and, based on those, we can build the corresponding market returns for each contract.

Our third source of data is a survey we have designed and conducted on these same clients. The survey was administered by a professional company at the end of 2010.¹⁴ We have two main purposes. First, we wish to gather information about demographic characteristics, wealth and portfolio holdings outside the company. This helps having a broader picture of the clients' financial activities.

Second, we wish to have an idea of clients' behavioral characteristics, and in particular of their preferences over risk and ambiguity.¹⁵ In the next section, we describe how we have elicited these preferences.

(<http://www.insee.fr/en/methodes/default.asp?page=sources/ope-enquete-patrimoine.htm>).

¹³In our sample, 65% of the clients hold more than one contract. The median number of contracts by client is 2.

¹⁴It was made clear to the subjects that they were contacted as part of a scientific project on risk, while the insurance company was never mentioned during the interview. Clients were contacted over the phone and they completed the survey over the internet while in line with the surveyor.

¹⁵The survey also includes a set of questions on preferences over time, expectations and sophistication, which are however not the main focus of the present paper. We briefly discuss some of them in Section 6.

4 Risk and Ambiguity Preferences

We elicit preferences over risk in a classical way.¹⁶ We ask respondents to choose between an hypothetical lottery and a sure outcome. Depending on their answer, we sequentially provide alternative lotteries in which the risky lottery is made relatively more or less attractive.

Specifically, we ask: "You have two options: (a) win 400 euros for sure vs. (b) win 1000 euros with 50% chance and zero otherwise. Which one would you choose?" In case (a) is chosen, lottery (a) is replaced by a lottery which offers 300 euros for sure (while the risky lottery remains the same). If instead (b) is chosen, lottery (a) is replaced by a lottery which offers 500 euros for sure. We have also asked very similar questions with lotteries involving losses (see Appendix 8.1 for details).

When lotteries involved gains, 59% of our respondents always chose the riskless lottery (thereby preferring 300 for sure rather than 1000 with 50% chance), 19% chose first the risky and then the riskless lottery, 4% chose first the riskless and then the risky lottery, and the remaining 18% always chose the risky lottery. When lotteries involved losses, the corresponding proportions were respectively 14%, 23%, 22% and 41%. Consistently with a large literature, we observe that respondents tend to show higher risk aversion over gains than over losses. We also observe a positive correlation between risk aversion over gains and over losses.

These responses can be used to order the respondents in terms of risk aversion. We build an aggregate measure of risk aversion over gains and over losses and we define the dummy *Risk Averse* as equal to 1 if risk aversion exceeds the median in the sample.

We follow a similar procedure in order to elicit ambiguity preferences.¹⁷ We ask to choose between (a) win 1000 euros with a completely unknown probability vs. (b) win 1000 euros with 50% chance and zero otherwise. If (a) is chosen, the risky lottery is replaced by one offering to win 1000 euros with 60% chance. If instead (b) is chosen, the risky lottery is replaced by one offering to win 1000 euros with 40% chance. Also in this case, we have repeated the questions with lotteries involving losses.

When lotteries involved gains, 57% of our respondents always chose the risky lottery (thereby preferring 1000 with 40% chance rather than with an

¹⁶ Alternatively, risk preferences may be estimated by revealed preferences from the observed portfolio choices (together with a set of assumptions on utility functions, beliefs, ...). Approaches along these lines include Cohen and Einav (2007); Barseghyan, Molinari, O'Donoghue and Teitelbaum (2013); Barseghyan, Molinari and Teitelbaum (2014) (see Guiso and Sodini (2012) for a discussion of the various approaches). Exploring the consistency of estimates based on survey vs. those based on revealed preferences is in our view a very interesting topic for future research.

¹⁷ Dimmock, Kouwenberg and Wakker (2013) provide a decision theoretic foundation for this method, showing that ambiguity attitudes can be entirely described by matching probabilities.

unknown probability), 14% chose first the risky and then the ambiguous lottery, 15% chose first the ambiguous and then the risky lottery, and the remaining 14% always chose the ambiguous lottery. When lotteries involved losses, the corresponding proportions were respectively 37%, 26%, 19%, and 17%. In the same way as for risk, we build an aggregate measure of ambiguity aversion over gains and over losses, and we define the dummy *Ambiguity Averse* as equal to 1 if ambiguity aversion exceeds the median in the sample.

In Appendix 8.1, we provide a more detailed description of these variables, as well as of the other variables used in the subsequent analysis. In Table 1, we report some descriptive statistics. In Table 2, we report the correlation between our measures of ambiguity aversion, risk aversion and a set of demographic characteristics. In column (1), *Risk Averse* appears negatively related with age and wealth. As for *Ambiguity Averse*, in column (2), our demographic characteristics seem to have very little explanatory power.

In columns (3)-(4), we see that the relation between *Ambiguity Averse* and *Risk Averse* is not very strong and, if anything, it is negative. This is consistent with the evidence reported in Dimmock, Kouwenberg and Wakker (2013).¹⁸ Importantly for our purposes, this potentially allows us to distinguish in our subsequent analysis the effects of ambiguity aversion from that of risk aversion.

As we have elicited risk preferences in other questions as well, we can investigate the consistency of our estimates.¹⁹ In column (5), we report the relation between *Risk Averse* and *Job Lottery*, in which risk aversion is elicited as in Barsky, Juster, Kimball and Shapiro (1997). The respondent is asked to choose between different jobs: one granting his/her current revenues forever vs. a riskier job. Depending on the answers, more or less attractive risky jobs are then sequentially offered. The two measures of risk aversion are positively related, and the relation is significant at the 5% level.

In column (6), the variable *Certainty Equivalent* is based on the willingness to pay for a lottery in which a coin is tossed 100 times and 1 euro is obtained each time head occurs (similarly to Mansour, Jouini and Napp (2006)). The relation with *Risk Averse* is negative as one would expect, even though only marginally significant.

Overall, the various measures give a consistent picture, which is reassuring on the validity of our methods for eliciting risk preferences.²⁰ We can

¹⁸The evidence on the relation between risk and ambiguity preference is not abundant, and it does not give a clear picture. Butler, Guiso and Jappelli (2012) document instead a positive relation between the two.

¹⁹We have no other quantitative questions eliciting ambiguity preferences.

²⁰Indeed, our results would not be qualitatively different if we used these alternative measures of risk aversion. We emphasize the variable *Risk Averse* because it involves risk preferences both over gains and over losses, and because its framing is similar to the one on ambiguity preferences.

then turn to our main purpose of investigating whether these measures have any predictive power on real life portfolio choices.

5 Empirical Analysis

We divide our empirical investigation into three parts. First, we study static portfolio choices. Then, we look at how households rebalance their contracts over time. Last, we study the performance of their portfolios. We will study when and how ambiguity aversion plays a role, in particular compared to risk aversion, in these three important dimensions of portfolio choice.

5.1 Static Portfolio Choices

We start by considering the propensity to hold a risky portfolio; then, we focus on risky contracts and consider the value of risky assets as a fraction of the total portfolio. Holding a risky portfolio may be related to households' participation in the stock market. As mentioned, starting from Dow and Werlang (1992), it has been shown theoretically that ambiguity aversion may induce households to refrain from investing in stocks.

The value of risky assets as a fraction of the total portfolio is instead a way to account for households' exposure to risk. The measure is simple (and probably most salient to decision makers) and, as in Calvet et al. (2007), it is highly correlated with the actual risk experienced in the portfolio (as measured by the standard deviation or the beta of the returns). Moreover, as suggested in Section 2, the effect of risk vs. ambiguity preferences may be particularly interesting here: While risk aversion should clearly reduce risk taking, the relation with ambiguity aversion is less clear-cut.

Our investigation starts by estimating the following equation:

$$\theta_{i,c,t} = \alpha + \beta_1 \text{ambig}_i + \beta_2 \text{risk}_i + X_i' \gamma + \mu_t + \varepsilon_{i,c,t}. \quad (3)$$

In equation (3), $\theta_{i,c,t}$ denotes the choice of individual i on contract c at time t , X_i' includes a set of standard demographic variables (age, gender, education, marital status, income, wealth) and μ_t are month-year fixed-effects. Our coefficient of interest are β_1 and β_2 , which describe respectively the impact of ambiguity and risk preferences, as elicited in our survey, on the portfolio choice. As the choices of a given individual may be correlated across contracts as well as over time, we cluster standard errors at the individual level.²¹

We first report our results on the likelihood to hold risky portfolios.²²

²¹We have also performed our regressions by clustering both at the time and at the individual level, using a method suggested by Petersen (2009). Results are not changed.

²²For simplicity, throughout the paper, we report results based on OLS estimates. Results do not change if, for categorical or censored variables, we employ probit or tobit

In our sample, on average 42% of the contracts contain some risky asset. According to our model and to the literature quoted above, this fraction should decrease both with risk and with ambiguity aversion. In columns (1)-(3) of Table 3, the dependent variable is a dummy equal to one if the contract contains some risky asset. It appears that ambiguity aversion decreases the propensity to hold a risky contract, but standard errors are large. The effect of risk aversion too is negative but not significant.

These results are not conclusive. As mentioned, this appears to be the case also in Dimmock, Kouwenberg and Wakker (2013), who report no significant relation between ambiguity aversion and stock market participation on Dutch households. On the other hand, Dimmock, Kouwenberg, Mitchell and Peijnenburg (2013) find a negative and significant relation in the American Life Panel data. We also notice that, while holding risky *assurance vie* contracts is a form of participation in the stock market, our evidence on participation is only partial as we lack a detailed picture of households' entire portfolios. Finally, participation in the stock market via *assurance vie* contracts is quite widespread (much more than participation via direct stock holdings). In our sample, 75% of clients hold a risky contract at some point in time. This may limit the variation observed across households and so partly explain low statistical power.

We then turn to the effects of ambiguity and risk preferences on the risky share. In columns (4)-(6), the sample is restricted to risky contracts and the dependent variable is a dummy equal to 1 if the value of the risky assets over the total value of the contract exceeds the median in the sample (that is equal to 0.51). The effect of risk aversion does not appear statistically significant. On the other hand, ambiguity aversion is strongly related to risk taking, and the relation is positive. Ambiguity averse individuals are 11% more likely to hold a contract with a large risk exposure (where "large" is defined relative to the median in the sample).

In Table 4, we check whether this relation is robust to alternative measures of risk taking. In columns (1)-(2), we show that ambiguity averse individuals hold contracts with a 7% higher share of wealth invested in risky assets (relative to an average share of 56%). A similar picture obtains as we measure risk taking by the standard deviation of the returns (columns 3-4) and by the beta of the portfolio (column 5-6).²³ Moreover, unreported results show that the coefficients are not affected by the inclusion (or exclusion) of the various controls. Overall, the result appears robust: Conditional on holding risky assets, ambiguity averse individuals tend to take *more* risk.

models.

²³The variable *Std Dev* refers to the standard deviation of the returns in the previous 12 months. The variable *Beta* is a measure of systematic risk constructed by regressing portfolio returns in the previous 12 months on the French stock market index CAC40.

While somewhat surprising, this result can be accounted for by the model of Section 2 in which the share of the ambiguity asset might increase with ambiguity aversion. This occurs when the “worst scenario” is the low mean, low variance configuration. The corresponding prior therefore tends to “underestimate” the variance relative to the ambiguity neutral prior, which may lead the investor to take more risk. More generally, these results are clearly suggestive that risk and ambiguity preferences need not affect choices in the same way and may actually push in opposite directions.

5.2 Dynamic Portfolio Choices

A distinctive feature of our database is its panel dimension: we observe clients’ behavior at a monthly frequency for about 8 years. This allows us to explore how investors change their exposure to risk over time, and so to relate to a recent literature on dynamic portfolio choices under ambiguity aversion. In particular, we can investigate whether ambiguity averse investors exhibit some form of portfolio inertia.

In our model, as in Epstein and Schneider (2010) and more generally in Illeditsch (2011), inertia may occur also when households have a positive exposure to risk, if they have chosen their exposure so as to hedge against ambiguity. In this case, they wish to keep it constant even after (small) shocks to expected returns or perceived uncertainty. Garlappi et al. (2007) and Ganguli et al. (2012) also show that ambiguity averse investors may not change much their portfolio weights as they tend to ignore news about future returns. Portfolio inertia impacts the amount of information revealed in prices and ultimately their level and volatility (Condie and Ganguli (2012)).

We now consider how households’ exposure to risk, as measured by the share of risky assets in their portfolios, evolves over time. Following Calvet et al. (2009), we distinguish passive and active changes in risk exposure. The first is driven by differential market returns of risky vs. riskless assets: if the former outperform the latter, the risky share tends to increase (and vice-versa). On top of this, investors may change their risk exposure by actively rebalancing their portfolios or investing/withdrawing money from the various assets.

Specifically, keeping the notation of Section 2, suppose that $\hat{R} - R_f$ is the realized excess return of the risky asset between $t - 1$ and t . The passive share is defined as

$$\theta_t^P = \frac{(1 + \hat{R})\theta_{t-1}}{1 + R_f + (\hat{R} - R_f)\theta_{t-1}}. \quad (4)$$

If we observe that the risky share moves from θ_{t-1} to θ_t , we define the passive change as

$$PC_t = \theta_t^P - \theta_{t-1}, \quad (5)$$

and the active change as

$$AC_t = \theta_t - \theta_t^P. \quad (6)$$

If $\theta_{t-1} \in (0, 1)$, we can look at the sign of the ratio AC_t/PC_t . A positive ratio indicates that an investor is rebalancing his contract in the same direction as the market; that is, he is investing relatively more in assets which have performed better in the past. We say he acts as a *chaser*. A negative ratio instead indicates that an investor is rebalancing his portfolio contrary to the market, and we refer to him as *contrarian*. Notice that a special case of contrarian behavior is defined by those individuals who wish to keep their risky share constant over time, and they continuously rebalance their portfolio accordingly. For those individuals, we should observe that $AC_t/PC_t = -1$.

Of course, individuals may remain inactive. On average, 64% of the contracts show zero active change in a given month. Restricting to risky contracts, the average is 21%. These figures provide a lower bound on the fraction of contracts for which there is no active rebalancing in a given month.²⁴

We first consider how ambiguity and risk preferences affect the magnitude of the changes in risk exposure over time. In column (1) of Table 5, the dependent variable is a dummy equal to one if the total change in the risk profile $|\theta_t - \theta_{t-1}|$ exceeds in absolute value the median in the sample (that is equal to zero). In column (2), we look at relative changes in risk profile, that is $|(\theta_t - \theta_{t-1})/\theta_{t-1}|$ and so we restrict the sample to contracts with $\theta_{t-1} > 0$. We construct a dummy equal to one if the relative change in the risk profile exceeds in absolute value the median in the sample (that is equal to 0.96%).

In both columns, it appears that ambiguity aversion leads to more stable risky shares over time. More precisely, contracts held by ambiguity averse individuals are 7% less likely to experience large fluctuations from one month to the next, where "large" is defined relative to the median in the sample. The effect of risk aversion is negative but not significant.

In columns (3)-(4), we focus on active changes. In column (3), the dependent variable is a dummy equal to one if the active change in the risk profile $|\theta_t - \theta_t^P|$ exceeds in absolute value the median in the sample (that is equal to zero). In column (4), the dependent variable is a dummy equal to one if the relative active change $|(\theta_t - \theta_t^P)/\theta_t^P|$ exceeds in absolute value the median in the sample (that is equal to 0.56%). Consistently with the previous results, we see that ambiguity averse individuals are less likely to actively induce large fluctuations in their risk exposure.

We then investigate in more details the direction of rebalancing. In

²⁴These are lower bounds since values of active change close to zero may not be due to small rebalancing but just to measurement error (e.g. driven by rounding off the passive share).

Table 6, the dependent variable is *chaser*, that is a dummy equal to one if $AC_t/PC_t > 0$ and to zero if $AC_t/PC_t < 0$. From columns (1)-(3), we see that ambiguity averse individuals are about 2% less likely to chase returns (relative to an average of 43%). The effect of risk aversion is not significant.

Portfolio rebalancing depends also on beliefs about future returns, which in turn may be affected by observed returns. Hurd, Van Rooij and Winter (2011) show that recent stock market increases tend to raise the expectation about future market returns. Similarly, Vissing-Jorgensen (2004) documents how households change their expectations in response to their own past returns. Accordingly, we check the robustness of our results to the inclusion of controls on market experiences such as past portfolio returns.²⁵ This is also a way to compare the magnitude of the effects of ambiguity aversion (a behavioral trait) with those of market experiences.

Specifically, in column (4), we include a measure of global market trends (instead of time fixed effects). The variable *Good Times* is a dummy equal to one if the average monthly returns observed in a given month exceed the median returns in our sample (equal to 0.44%). The estimate shows that, in good times investors are 3% more likely to chase returns. The coefficient on ambiguity aversion is not affected.

In column (5), the variable *Overperform* is a dummy equal to one if the returns of the contract between $t-1$ and t exceed the median market returns in that month. Individuals who have performed well relative to the market are 4% more likely to chase returns, and again the coefficient on ambiguity aversion remains unchanged.

In columns (6), we consider whether a given contract is experiencing a better trend than the median contract. Specifically, the variable *Improve* is a dummy equal to one if the difference between current and past returns exceeds the market median difference in the same period. The effect is positive and bigger than the previous effects: Individuals who experience better trends are 14% more likely to act as chaser.

In magnitude, the effect of ambiguity aversion appears smaller than the one of market experiences. Still, the estimates are significant and robust across specifications. Ambiguity averse investors are less likely to chase returns. This is consistent with our model in that their demand for the risky asset may be flat, so small fluctuations in risk premia need not generate any change in the demand of these investors. This is also consistent with the evidence of Table 5 whereby ambiguity averse investors show relatively stable risky shares over time.

²⁵Moreover, in Section 6, we consider other behavioral traits which may affect stock market expectations.

5.3 Performance

We now turn to the relation between ambiguity preferences and portfolio returns. Some scholars have proposed models in which ambiguity aversion leads to under diversification, that is to a portfolio which is biased towards less ambiguous assets (relative to standard mean-variance portfolio).²⁶ Based on these insights, one may expect that ambiguity averse investors experience lower performances in their contracts. On the other hand, Garlappi et al. (2007) have shown that ambiguity averse investors (who are less sensitive to information about expected returns) may earn higher out-of-sample Sharpe Ratios when expected returns are difficult to predict.

This debate is also relevant for the literature on the long run survival of ambiguity averse investors and so on their aggregate impact on asset prices. Condie (2008) shows that, in markets with aggregate risk and rational utility maximizers, ambiguity averse investors should not be expected to survive. Guerdijkova and Sciuabba (2012) provide a model in which ambiguity averse investors may survive despite their distorted beliefs as ambiguity aversion may act as an extra discount factor and so increase the propensity to save.

We start by considering the entire sample of contracts. In Table 7, the dependent variable is the monthly return (in percentage points) experienced in a given contract. The average monthly return in the overall sample is 0.36%. Restricting to risky contracts, the average is 0.39%. In column (1), it appears that ambiguity averse individuals experience higher raw returns and risk averse individuals experience lower raw returns. This may just reflect the evidence presented earlier that ambiguity averse individuals tend to take more risk while risk averse individuals tend to take less risk.

To shed further light on this possibility, in columns (2)-(4), we control for various measures of risk: the risky share of the contract, the standard deviation of the returns, the beta of the returns. As expected, all these measures have a positive and significant impact on returns. The estimated impact of ambiguity aversion, however, does not change much. Overall, ambiguity averse investors experience about 0.014% higher returns per month (that is, about 0.18% per year). The effect of risk aversion is negative and slightly bigger in magnitude.

In columns (5)-(6), we investigate whether these differences in returns are heterogeneous with respect to the overall market returns. The dummy *Good Times* is the one introduced in the previous section, and we study its interaction with ambiguity and risk preferences. In column (5), the variable replaces time fixed effects. In column (6), time fixed effects are included instead. Ambiguity averse investors seem to experience relatively higher re-

²⁶See Uppal and Wang (2003) for a model in which investors allocate their wealth between several assets whose returns are perceived to be more or less ambiguous. Similar insights have been proposed on the relation between ambiguity aversion and home bias (e.g. Boyle et al. (2012)).

turns in good times, while risk averse investors seem to experience relatively lower returns in good times, but estimates are not significant.

We further investigate the determinants of these differences by focusing on those contracts which contain some risky assets. Results are presented in Table 8, which follows the same structure as Table 7. We first notice that results are larger in magnitude, as one would expect given that the variation in returns in a given month comes from risky contracts. As shown in columns (1)-(4), the positive impact of ambiguity aversion is driven by those contracts which contain risky assets. In these contracts, ambiguity averse investors experience about 0.035% higher returns per month (that is, about 0.51% per year). The effect of risk aversion is negative and of similar magnitude.

As in Table 7, we then look at heterogeneous impacts with respect to *Good Times*. Estimates in column (6) show that ambiguity aversion leads to 0.2% *higher* returns in good times and to 0.13% *lower* returns in bad times. That is the case even when controlling for the riskiness of the contract.²⁷

These results are perhaps surprising in light of the theoretical literature mentioned above on under diversification, which would predict lower (risk-adjusted) returns. They are however consistent with the evidence we have presented earlier that ambiguity averse investors tend to choose riskier contracts, and in particular to hold portfolios with a higher beta. Overall, their returns are higher, but at the same time they are more sensitive to market trends.

6 Discussion

In this section, we wish to address two issues. First, whether our results may be biased by omitted behavioral characteristics. Second, whether our results can be considered representative of households' financial behaviors in their broader portfolio.

6.1 Alternative behavioral traits

In principle, our previous estimates may be driven by factors correlated with ambiguity aversion and omitted from our regressions. This is of course a difficult issue to resolve completely without experimental data. A first partial response is to notice that estimates do not seem sensitive to the inclusion or exclusion of various controls. This is what one would expect given that, as shown in Table 2, ambiguity aversion does not correlate much with standard demographic variables.

²⁷We only report the results in which we control for the standard deviation of the returns. Controlling for the risky share or for beta does not change our coefficients of interest.

On the other hand, ambiguity preferences may be related to other behavioral traits which we have not considered in our main analysis. First, ambiguity aversion may be related to sophistication: Halevy (2007) shows that probabilistically sophisticated subjects tend to be neutral towards ambiguity; Chew, Ratchford and Sagi (2013) show that only sophisticated subjects react to ambiguity as less sophisticated subjects fail to perceive its mere presence. Second, ambiguity aversion may be related to (lack of) confidence. Heath and Tversky (1991) and Fox and Tversky (1995) show that ambiguity aversion may stem from the perceived lack of knowledge about the context. Third, in the spirit of Halevy (2008), ambiguity may be related to present biased preferences (see Cohen, Tallon and Vergnaud (2011) for an empirical investigation).

In order to dig further in this direction, we build some measures of sophistication, confidence, and time preference based on our survey questions. As for sophistication, we exploit a question in which we asked to compute compound interests. Assuming that one invested 1000 euros at a rate of 2% per year, subjects were asked how much money would be available after one year and after five years. The variable *Compute Interest* is a dummy equal to 1 if the respondent answered correctly (see Appendix 8.1 for details).

As for confidence, we have asked a series of 10 true/false questions including whether holding shares gives the right to a fixed revenue; whether the value of the CAC40 Index has increased during 2009; whether the UK is part of the Euro area (the complete list and the exact formulation is reported in Appendix 8.1). Then, we have asked respondents how many questions they thought they answered correctly. Our measure of confidence is based on the difference between the subjective estimate and the actual number of correct answers. We construct the dummy *Confidence* which is equal to one if the subject displays a level of confidence above the median in the sample (that is equal to zero).

Finally, we capture present biased preferences by asking subjects to choose (hypothetically) between smaller gains today vs. larger gains in one month, and then between the same gains in 12 vs. 13 months. The variable *Hyperbolic* is a dummy equal to 1 if the subject prefers smaller gains today but higher gains when both alternatives are delayed.

While investigating the effects of all these traits on portfolio choices remains beyond the scope of the present analysis, we here address the more limited issue of whether our coefficients of interest are affected by the inclusion of these extra variables. Results appear in Table 9, in which we re-run the main regressions of Section 5 adding the additional behavioral traits as controls. In column 1, the dependent variable captures the propensity to hold a risky contract (as in Table 3, column 3). In column 2, we look at the fraction of wealth invested in risky assets conditional on risk taking (as in Table 3, column 6); in column 3, we consider the change in risk exposure over time (as in Table 5, column 1); in column 4, we look at the direction

of rebalancing (as in Table 6, column 3). Finally, as in Tables 7 and 8, we consider monthly returns both overall (column 5) and conditional on risk taking (column 6).

The additional behavioral traits seem to explain little of the observed portfolio choices, and results are basically unchanged relative to the baseline specifications in Section 5.²⁸ The effects of ambiguity aversion are robust to the inclusion of our measures of sophistication, confidence, and time preferences.

6.2 Representativeness

As stressed, our results are based on the behavior observed within the company and, as in most studies employing administrative data, we lack a full picture of households' portfolio or even more generally of their exposure to risk in other dimensions. One may then question whether what we observe within the company should be considered representative of households' behaviors in their overall portfolios.

As a step towards answering this question, we exploit the information collected in our survey on households' financial assets and total wealth. We can estimate the fraction of wealth that the household has invested in the company, and check whether the effects of ambiguity and risk preferences are different for those who have invested a lot vs. little of their wealth. If our estimates were driven by those with low investment in the company, our previous results may not be considered as very representative.²⁹

In our survey, respondents were asked to report the value of their total wealth within a range. In order to define the fraction of wealth invested, we need to build a point estimate. We consider the midpoint in each interval, except for the highest interval (where clients report wealth of 1 million euros or above) where we consider the minimum of the interval.³⁰ In a similar way, we construct point estimates for the value of financial assets. We then compare these figures to the value of the contracts held in the company as of August 2010 (around the time when the survey was conducted). According to these estimates, the median client holds 37% of his financial assets and 6% of his total wealth in the company. For each client, we then define the dummy *Low Invest* as being equal to one if the value of his contracts is lower than 6% of his total wealth.³¹ In particular, we are interested in exploring

²⁸Similar results obtain by including the additional behavioral traits one by one.

²⁹Alternatively, one may invoke a form narrow framing whereby each asset (here, an *assurance vie* contract) is treated by households in isolation from the rest of their portfolio. For evidence of narrow framing, see e.g. Kahneman and Lovallo (1993), Barberis, Huang and Thaler (2006) and Choi, Laibson and Madrian (2009).

³⁰We have also considered the minimum or the maximum in the interval and the following results are not affected.

³¹Similar results would obtain by constructing the dummy based on the value of the contracts relative to the client's financial assets as well as by using the value of contracts

the interaction between *Low Invest* and ambiguity preferences.

Results are reported in Table 10. The coefficient on *Ambig Averse* describes the effect of ambiguity aversion on those clients who have a large fraction of their wealth invested in the company. The coefficient on *Low Invest*Ambig* describes the differential impact of ambiguity aversion on those with a small fraction of wealth invested in the company. Similarly, for the coefficients on *Risk Averse*.

As in Table 9, the dependent variables relate to the main results of the previous analysis. That is, we keep the same specifications as in Section 5 and investigate the effects on the propensity to hold a risky contract (column 1), the fraction of wealth invested in risky assets (column 2), the change in risk exposure over time (column 3), the direction of rebalancing (column 4) and the monthly returns both overall (column 5) and conditional on risk taking (column 6).

In column 1, we observe that ambiguity averse clients with a large fraction of wealth invested are less likely to hold risky contracts while the opposite is true for those with low wealth invested. However, as in the main analysis (Table 3, column 3), estimates are not statistically different from zero.

In columns (2)-(6), we see that our main results hold in the subsample of investors with a large fraction of wealth in the company, and that the effects of ambiguity aversion are not significantly different for those with a low fraction invested. Moreover, in magnitude, the estimated effects on those with large investments are slightly bigger than the estimates obtained on the entire sample.

Overall, the effects of ambiguity aversion do not seem to vary substantially depending on the fraction of wealth invested in the company. If anything, results are sometimes stronger on clients with large investments, for which arguably the observed portfolio is more representative of the overall portfolio. This suggests that the behaviors we observe within the company are (broadly) consistent with the behaviors of the households in their global portfolio.

7 Conclusion

We have explored the empirical relation between ambiguity aversion, risk aversion and portfolio choices. For this purpose, we have exploited an original data set in which administrative panel data obtained from a large French company are matched with survey data on preferences over ambiguity and risk. We have investigated in particular how these preferences affect households' choices in terms of risk exposure, portfolio rebalancing as well as

in months nearby August 2010.

the performance of their assets. We have shown that, conditional on participation, ambiguity averse individuals tend to choose riskier contracts. Moreover, they are more likely to rebalance their portfolio in a contrarian direction relative to the market. Accordingly, their exposure to risk is more stable over time. Finally, we have shown that ambiguity averse individuals experience higher market returns in good times and lower returns in bad times. The effects of risk aversion are often very different both in sign and in magnitude.

As detailed above, some of these results lend support to existing theories of ambiguity aversion and portfolio choices. Other results, like increased risk taking and volatility of returns, are at first sight puzzling and we hope they can motivate further investigations. Both from a theoretical viewpoint, so as to better uncover the underlying mechanisms, and from an empirical viewpoint, so as to test their validity in other settings. This is only a first step towards an understanding of the empirical content of ambiguity preferences and of their relation with risk preferences. In our view, more research along these lines is clearly desirable.

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8 Appendix

8.1 Description of variables

Risk Averse

The variable is based on the following questions: "*You have two options: (a) win 400 euros for sure vs. (b) win 1000 euros with 50% chance and zero otherwise. Which one would you choose?*" In case (a) is chosen, we then offer the choice between (c) win 300 euros for sure vs. (d) win 1000 euros with 50% chance and zero otherwise. In case (b) is chosen, we instead offer the choice between (e) win 500 euros for sure vs. (f) win 1000 euros with 50% chance and zero otherwise. We build the variable *risk gains* which takes values 4 if (a) and (c) are chosen, 3 if (a) and (d) are chosen, 2 if (b) and (e) are chosen, and 1 if (b) and (f) are chosen.

As for risk aversion over losses, we ask: "*You have two options: (a) lose 400 euros for sure vs. (b) lose 1000 euros with 50% chance and zero otherwise. Which one would you choose?*" Similarly to above, in case (a) is chosen, we offer the choice between (c) lose 500 euros for sure vs. (d) lose 1000 euros with 50% chance and zero otherwise. In case (b) is chosen, we the choice between (e) lose 300 euros for sure vs. (f) lose 1000 euros with 50% chance and zero otherwise. We build the variable *risk losses* which takes values 4 if (a) and (c) are chosen, 3 if (a) and (d) are chosen, 2 if (b) and (e) are chosen, and 1 if (b) and (f) are chosen. We then sum *risk gains* and *risk losses* and so obtain a 2 to 8 variable *risk aversion*. The dummy *Risk Averse* equals 1 if *risk aversion* exceeds the median in the sample (equal to 5).

Ambig Averse

The variable is based on the following questions: "*You have two options: (a) win 1000 euros with a completely unknown probability vs. (b) win 1000 euros with 50% chance and zero otherwise. Which one would you choose?*" If (a) is chosen, we propose (c) win 1000 euros with a completely unknown probability vs. (d) win 1000 euros with 60% chance and zero otherwise. If (b) is chosen, we propose (e) win 1000 euros with a completely unknown probability vs. (f) win 1000 euros with 40% chance and zero otherwise. We build the variable *ambig gains* which takes values 1 if (a) and (c) are chosen, 2 if (a) and (d) are chosen, 3 if (b) and (e) are chosen, and 4 if (b) and (f) are chosen.

As for losses, we ask to choose between (a) lose 1000 euros with a completely unknown probability vs. (b) lose 1000 euros with 50% chance and zero otherwise. If (a) is chosen, we propose (c) lose 1000 euros with a completely unknown probability vs. (d) lose 1000 euros with 40% chance and zero otherwise. If (b) is chosen, we propose (e) lose 1000 euros with a completely unknown probability vs. (f) lose 1000 euros with 60% chance and zero otherwise. We build the variable *ambig losses* which takes values 1 if

(a) and (c) are chosen, 2 if (a) and (d) are chosen, 3 if (b) and (e) are chosen, and 4 if (b) and (f) are chosen. We obtain *ambiguity aversion* as the sum of *ambig gains* and *ambig losses* and we define *Ambig Averse* as equal to 1 if *ambiguity aversion* exceeds the median in the sample (equal to 6).

Averse Job Lottery

The variable is based on the following questions: "*Suppose you are the only member of your family which gains money. Given your health problems, your doctor has recommended that you move. You can choose between two jobs: Job (s) guarantees your current revenues forever. Job (a) offers a 50% probability of doubling your revenues forever and a 50% probability of diminishing them by 1/3. Which one would you choose?*" If (s) is chosen, job (a) is replaced by job (b), which offers a 50% probability of doubling your revenues forever and a 50% probability of diminishing them by 20%. If (a) is chosen, job (a) is replaced by job (c), which offers a 50% probability of doubling your revenues forever and a 50% probability of diminishing them by 20%. If (s) is chosen again in the second question, job (b) is replaced by job (d), which offers a 50% probability of doubling your revenues forever and a 50% probability of diminishing them by 10%. If (c) is chosen in the second question, job (c) is replaced by job (e), which offers a 50% probability of doubling your revenues forever and a 50% probability of diminishing them by 75%. The variable *job lottery* equals 6 if (s)(s)(s) is chosen, 5 if (s)(s)(d) is chosen, 4 if (s)(b) is chosen, 3 if (a)(s) is chosen, 2 if (a)(c)(s) is chosen, 1 if (a)(c)(e) is chosen. The dummy *Averse Job Lottery* equals 1 if *job lottery* exceeds the median in the sample (equal to 4).

Certainty Equivalent

The variable is based on the following question: "*A coin is tossed 100 times and you win 1 euro each time head occurs. How much would you be willing to pay to play this game?*" The dummy *Certainty Equivalent* equals 1 if the willingness to pay exceeds the median in the sample (equal to 10).

Education

The variable takes value 1 if no formal education is reported, 2 refers to vocational training, 3 refers to baccalaureat, 4 refers to a 2-years post bac diploma, 5 refers to a 3-years post bac diploma, 6 refers to a 4-years post bac diploma, 7 refers to a 5-years post bac diploma or above.

Age

The variable takes value 1 if the respondent is less than 30 years old, 2 refers to between 30 and 44 years old, 3 refers to between 45 and 64 years old, 4 refers to 65 years or older.

Income

Monthly net revenues of the household (in euros). A value of 1 corresponds to less than 1000, 2 indicates between 1000 and 1499, 3 indicates between 1500 and 1999, 4 indicates between 2000 and 2999, 5 indicates between 3000 and 4999, 6 indicates 5000 and 6999, 7 indicates between 7000 and 9999, 8 indicates over 10000.

Total Wealth

Total wealth of the household (in euros). A value of 1 corresponds to less than 8000, 2 indicates between 8000 and 14999, 3 indicates between 15000 and 39999, 4 indicates between 40000 and 79999, 5 indicates between 80000 and 149999, 6 indicates 150000 and 224999, 7 indicates between 225000 and 299999, 8 indicates between 300000 and 449999, 9 indicates between 450000 and 749999, 10 indicates between 750000 and 999999, 11 indicates over 1 million.

Financial Assets

Financial assets of the household (excluding housing and business). A value of 1 corresponds to less than 1600, 2 indicates between 1600 and 3999, 3 indicates between 4000 and 8999, 4 indicates between 9000 and 15999, 5 indicates between 16000 and 49999, 6 indicates 50000 and 79999, 7 indicates between 80000 and 159999, 8 indicates between 160000 and 259999, 9 indicates between 260000 and 549999, 10 indicates between 550000 and 999999, 11 indicates over 1 million.

Compute Interest

The variable is based on the following questions: *"Suppose that you have 1000 € in a saving account which offers a return of 2% per year. After one year, assuming that you have not touched your initial deposit, how much would you own? 1) Less than 1020 €; 2) Exactly 1020 €; 3) More than 1020 €; 4) I don't know."* *"After five years, assuming that you have not touched your initial deposit, how much would you own? 1) Less than 1100 €; 2) Exactly 1100 €; 3) More than 1100 €; 4) I don't know."* The variable *Compute Interest* is a dummy equal to 1 if the subject answered *"Exactly 1020 €"* to the first question and *"More than 1100 €"* to the second question, and equal to zero otherwise.

Confidence

The variable is based on the following questions: *"We will give you a series of statements. For them, please say whether it is true or false. Please answer quickly. 1) Livret A are used to finance social housing; 2) In 2008, the value of the CAC 40 Index of the largest listed companies has decreased by more than 50%; 3) Etna is in Sardinia; 4) In France, revenues from income taxes exceeds those on the VAT; 5) The French Constitution*

includes a declaration for the environment; 6) UK is part of the Euro area; 7) The value of the CAC 40 Index has increased during 2009; 8) A share gives the right to a fixed revenue; 9) Assurance Vie contracts benefit from a special fiscal treatment; 10) 40 divided by one half, plus 10 equals 30."

We define the variable *Actual* based on the number of correct answers: 1) Less than 3; 2) 3 or 4; 3) 5 or 6; 4) 7 or 8 ; 5) 9 or more. We define the variable *Subjective* based on the following question: "*On the previous 10 questions, how many correct answers do you think you have given? 1) Less than 3; 2) 3 or 4; 3) 5 or 6; 4) 7 or 8 ; 5) 9 or more*". Our measure of confidence is based on the difference between *Subjective* and *Actual* correct answers. In particular, *Confidence* is a dummy equal to one if the difference is equal to zero (which is the median in the sample) or above; and equal to zero if the difference between *Subjective* and *Actual* is negative.

Hyperbolic

The variable is based on the following questions: "*You can choose between 1) 1000 euros now; 2) 1020 euros in a month. Which one would you choose?*" and "*You can choose between 1) 1000 euros in 12 months; 2) 1020 euros in 13 months. Which one would you choose?*" The variable *Hyperbolic* is a dummy equal to 1 if 1) was chosen in the first question and 2) was chosen in the second question, and to zero otherwise.

8.2 Figure

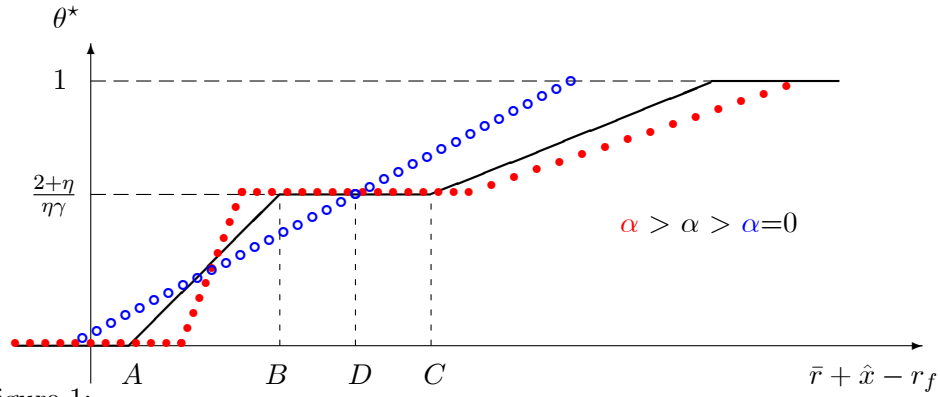


Figure 1:

This figure plots the ambiguous share as a function of the premium and shows some comparative statics with respect to ambiguity aversion. The red dotted line corresponds to higher ambiguity aversion. The blue circles correspond to ambiguity neutrality.

$$A = -\frac{1}{2}(\bar{\sigma}^2 + \eta \underline{x}^\alpha) + \hat{x} - \underline{x}^\alpha$$

$$B = \left(\frac{1}{2} + \frac{2}{\eta}\right) \bar{\sigma}^2 + \hat{x} + \left(1 + \frac{\eta}{2}\right) \underline{x}^\alpha$$

$$C = \left(\frac{1}{2} + \frac{2}{\eta}\right) \bar{\sigma}^2 + \hat{x} + \left(1 + \frac{\eta}{2}\right) \bar{x}^\alpha$$

$$D = \frac{B+C}{2}$$

8.3 Tables

Table 1: Summary Statistics

Variable	Obs.	Mean	Std. Dev.	Min	Max
Risk Averse	511	0.3836	0.4867	0	1
Ambig Averse	511	0.3894	0.4881	0	1
Education	501	4.4212	1.8858	1	7
Married	511	0.7632	0.4255	0	1
Age	511	2.6125	0.7531	1	4
Female	511	0.4716	0.4997	0	1
Income	494	4.5324	1.5530	1	8
Total Wealth	469	6.8849	2.4668	1	11
Financial Assets	476	4.8403	2.4034	1	11
Stock Holding	498	0.2691	0.4439	0	1
Averse Job Lottery	511	0.5969	0.4910	0	1
Certainty Equivalent	507	0.5720	0.4953	0	1
Low Invest	459	0.5272	0.4998	0	1
Compute Interest	511	0.5342	0.4993	0	1
Confidence	511	0.5362	0.4992	0	1
Hyperbolic	511	0.1957	0.3971	0	1
Risky Contract	111697	0.4186	0.4933	0	1
High Risk	46760	0.5000	0.5000	0	1
Risky Share	46760	0.5632	0.3003	0.0001	1
Std Dev	112630	0.0094	0.0102	0	0.0396
Beta	112635	0.0877	0.1825	-0.1265	1.1801
Chaser	36655	0.4270	0.4946	0	1
Total Change Absolute	109801	0.3463	0.4758	0	1
Total Change Relative	45900	0.4508	0.4976	0	1
Active Change Absolute	109801	0.3345	0.4718	0	1
Active Change Relative	44656	0.4288	0.4949	0	1
Monthly Returns (in %)	112635	0.3610	0.9693	-8.8125	7.3912
Good Times	111847	0.5014	0.5000	0	1
Overperform	86890	0.4928	0.5000	0	1
Improve	87003	0.5154	0.4998	0	1

NOTE: The table reports summary statistics for all variables used in the regressions. A definition of these variables can be found in the text and in Appendix 8.1.

Table 2: Ambiguity and Risk Preferences

Dep Variable	Risk Averse	Ambig Averse		Risk Averse		
	(1)	(2)	(3)	(4)	(5)	(6)
Averse Job Lottery					0.104 (0.048)**	
Certainty Equivalent						-0.077 (0.046)*
Risk Averse			-0.085 (0.044)*	-0.073 (0.048)		
Education	-0.001 (0.015)	-0.023 (0.015)		-0.023 (0.015)	0.001 (0.015)	-0.001 (0.015)
Married	0.06 (0.059)	-0.047 (0.059)		-0.043 (0.059)	0.058 (0.058)	0.05 (0.059)
Age	-0.086 (0.034)**	-0.007 (0.035)		-0.014 (0.035)	-0.098 (0.034)***	-0.091 (0.034)***
Female	-0.015 (0.047)	-0.016 (0.049)		-0.017 (0.049)	-0.021 (0.047)	-0.02 (0.047)
Income	-0.005 (0.021)	0.031 (0.021)		0.031 (0.02)	-0.005 (0.021)	-0.003 (0.02)
Total Wealth	-0.023 (0.012)*	0.014 (0.012)		0.012 (0.012)	-0.002 (0.012)*	-0.022 (0.012)*
Financial Assets	0.0004 (0.011)	0.004 (0.012)		0.004 (0.012)	0.004 (0.012)	-0.001 (0.011)
Observations	452	452	511	452	452	450
R-squared	0.044	0.017	0.007	0.022	0.054	0.05

NOTE: This table reports the results of OLS regressions. A detailed description of all the variables appears in Appendix 8.1. Robust standard errors are in brackets. *, ** and *** denotes significance at 10%, 5% and 1% level, respectively.

Table 3: Participation and Risk Taking

Dep Variable	Risky Contract			High Risk		
	(1)	(2)	(3)	(4)	(5)	(6)
Ambig Averse	-0.011 (0.043)		-0.018 (0.043)	0.112 (0.040)***		0.115 (0.040)***
Risk Averse		-0.045 (0.043)	-0.047 (0.043)		0.018 (0.042)	0.029 (0.041)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
Time Dummies	Yes	Yes	Yes	Yes	Yes	Yes
Number of Obs	77700	77700	77700	35634	35634	35634
Number of Clusters	451	451	451	310	310	310
R-squared	0.05	0.048	0.05	0.113	0.102	0.114

NOTE: This table reports the results of OLS regressions. In columns 1-3, the dependent variable is a dummy equal to 1 if the contract contains some risky asset. In columns 4-6, the sample includes only risky contracts and the dependent variable is a dummy equal to 1 if the value of the risky assets over the total value of the contract exceeds the median in the sample (that is equal to 0.51). Controls include age, gender, education, marital status, income, financial assets and total wealth. Robust standard errors, clustered at the individual level, are in brackets. *, ** and *** denotes significance at 10%, 5% and 1% level, respectively.

Table 4: Risk Taking: Robustness

Dep Variable	Risky Share		Std Dev		Beta	
	(1)	(2)	(3)	(4)	(5)	(6)
Ambig Averse	0.072 (0.028)**	0.072 (0.029)**	0.002 (0.001)**	0.002 (0.001)**	0.045 (0.019)**	0.044 (0.019)**
Risk Averse		0.001 (0.03)		-0.001 (0.01)		-0.016 (0.018)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
Time Dummies	Yes	Yes	Yes	Yes	Yes	Yes
Number of Obs	35634	35634	35689	35689	36333	36333
Number of Clusters	310	310	334	334	344	344
R-squared	0.1	0.1	0.089	0.09	0.131	0.132

NOTE: This table reports the results of OLS regressions. The sample includes only risky contracts. In columns 1-2, the dependent variable is the value of the risky assets over the total value of the contract. In columns 3-4, the dependent variable is the standard deviation of the returns of the contract in the previous 12 months. In columns 5-6, the dependent variable beta is obtained by regressing the returns in the previous 12 months on the French stock market index CAC40. Controls include age, gender, education, marital status, income, financial assets and total wealth. Robust standard errors, clustered at the individual level, are in brackets. *, ** and *** denotes significance at 10%, 5% and 1% level, respectively.

Table 5: Change in Risk Exposure

Dep Variable	Total Change		Active Change	
	Absolute (1)	Relative (2)	Absolute (3)	Relative (4)
Ambig Averse	-0.068 (0.033)**	-0.063 (0.029)**	-0.068 (0.032)**	-0.06 (0.029)**
Risk Averse	-0.048 (0.034)	-0.031 (0.029)	-0.047 (0.032)	-0.035 (0.029)
Controls	Yes	Yes	Yes	Yes
Time Dummies	Yes	Yes	Yes	Yes
Number of Obs	76365	34990	76365	33997
Number of Clusters	451	310	451	310
R-squared	0.219	0.199	0.211	0.094

NOTE: This table reports the results of OLS regressions. In column 1, the dependent variable is a dummy equal to one if the total change in the risk profile exceeds in absolute value the median in the sample. In column 2, the dependent variable is a dummy equal to one if the relative change in the risk profile exceeds in absolute value the median in the sample. In column 3, the dependent variable is a dummy equal to one if the active change in the risk profile exceeds in absolute value the median in the sample. In column 4, the dependent variable is a dummy equal to one if the relative active change in the risk profile exceeds in absolute value the median in the sample. Controls include age, gender, education, marital status, income, financial assets and total wealth. Robust standard errors, clustered at the individual level, are in brackets. *, ** and *** denotes significance at 10%, 5% and 1% level, respectively.

Table 6: Chasing Returns

Dep Variable	Chaser					
	(1)	(2)	(3)	(4)	(5)	(6)
Ambig Averse	-0.017 (0.008)**	-0.02 (0.008)**	-0.016 (0.008)**	-0.02 (0.008)**	-0.016 (0.008)**	-0.016 (0.008)**
Risk Averse	-0.003 (0.008)	-0.007 (0.008)	-0.005 (0.008)	-0.006 (0.008)	-0.004 (0.008)	-0.002 (0.008)
Good Times				0.035 (0.009)***		
Overperform					0.042 (0.012)***	
Improve						0.142 (0.012)***
Controls	No	Yes	Yes	Yes	Yes	Yes
Time Dummies	No	No	Yes	No	Yes	Yes
Number of Obs	30012	27020	27020	26995	26992	26983
Number of Clusters	325	291	291	291	291	291
R-squared	0.001	0.001	0.157	0.002	0.158	0.172

NOTE: This table reports the results of OLS regressions. The dependent variable is a dummy equal to one if the ratio between active change and passive change in the risky share is strictly positive, and zero if the ratio is strictly negative. Active change and passive change are defined in equations (6) and (5) respectively. Good Times is a dummy equal to one if the average monthly returns observed in a given month exceed the median returns in our sample. Overperform is a dummy equal to one if current returns exceed the median returns in that month. Improve is a dummy equal to one if the difference between current and past returns exceeds the median difference in the same period. Controls include age, gender, education, marital status, income, financial assets and total wealth. Robust standard errors, clustered at the individual level, are in brackets. *, ** and *** denotes significance at 10%, 5% and 1% level, respectively.

Table 7: Returns

Dep Variable	Monthly Returns (in %)					
	(1)	(2)	(3)	(4)	(5)	(6)
Ambig Averse	0.017 (0.009)*	0.014 (0.008)*	0.014 (0.008)*	0.015 (0.008)*	-0.034 (0.046)	-0.044 (0.046)
Risk Averse	-0.019 (0.008)**	-0.016 (0.008)**	-0.017 (0.008)**	-0.017 (0.008)**	-0.001 (0.046)	0.0001 (0.046)
Risky Share		0.111 (0.023)***				
Std Dev			3.692 (0.928)***		2.082 (0.997)**	3.684 (0.928)***
Beta				0.131 (0.033)***		
Good*Ambig					0.106 (0.092)	0.116 (0.091)
Good*Risk					-0.036 (0.09)	-0.035 (0.089)
Good Times					0.664 (0.062)***	
Controls	Yes	Yes	Yes	Yes	Yes	Yes
Time Dummies	Yes	Yes	Yes	Yes	No	Yes
Number of Obs	76921	76281	75703	76921	75396	75396
Number of Clusters	452	451	452	452	452	452
R-squared	0.204	0.208	0.207	0.205	0.124	0.207

NOTE: This table reports the results of OLS regressions. The dependent variable is the monthly returns of the contract in percentage points. Risky Share is the value of the risky assets over the total value of the contract. Std Dev is the standard deviation of the returns of the contract in the previous 12 months. Beta is obtained by regressing the returns in the previous 12 months on the French stock market index CAC40. Good Times is a dummy equal to one if the average monthly returns observed in a given month exceed the median returns in our sample. Good*Ambig refers to the interaction between Good Times and Ambig Averse. Good*Risk refers to the interaction between Good Times and Risk Averse. Controls include age, gender, education, marital status, income, financial assets and total wealth. Robust standard errors, clustered at the individual level, are in brackets. *, ** and *** denotes significance at 10%, 5% and 1% level, respectively.

Table 8: Returns and Risk

Dep Variable	Monthly Returns (in %)					
	(1)	(2)	(3)	(4)	(5)	(6)
Ambig Averse	0.037 (0.017)**	0.037 (0.016)**	0.033 (0.017)*	0.034 (0.017)*	-0.096 (0.062)	-0.132 (0.062)**
Risk Averse	-0.033 (0.015)**	-0.033 (0.015)**	-0.036 (0.015)**	-0.032 (0.015)**	-0.042 (0.061)	-0.038 (0.06)
Risky Share		0.014 (0.031)				
Std Dev			1.686 (1.385)		-0.829 (1.564)	1.685 (1.378)
Beta				0.073 (0.048)		
Good*Ambig					0.299 (0.121)**	0.326 (0.121)***
Good*Risk					0.006 (0.116)	0.005 (0.115)
Good Times					1.403 (0.079)***	
Controls	Yes	Yes	Yes	Yes	Yes	Yes
Time Dummies	Yes	Yes	Yes	Yes	No	Yes
Number of Obs	34855	34215	34261	34855	34261	34261
Number of Clusters	338	309	329	338	329	329
R-squared	0.43	0.439	0.435	0.43	0.278	0.438

NOTE: This table reports the results of OLS regressions. The dependent variable is the monthly returns of the contract in percentage points. Risky Share is the value of the risky assets over the total value of the contract. Std Dev is the standard deviation of the returns of the contract in the previous 12 months. Beta is obtained by regressing the returns in the previous 12 months on the French stock market index CAC40. Good Times is a dummy equal to one if the average monthly returns observed in a given month exceeded the median returns in our sample. Good*Ambig refers to the interaction between Good Times and Ambig Averse. Good*Risk refers to the interaction between Good Times and Risk Averse. Controls include age, gender, education, marital status, income, financial assets and total wealth. Robust standard errors, clustered at the individual level, are in brackets. *, ** and *** denotes significance at 10%, 5% and 1% level, respectively.

Table 9: Other Behavioral Traits

Dep Variable	Risky Contract	High Risk	Total Change	Chaser	Monthly Returns (in %)	
	(1)	(2)	(3)	(4)	(5)	(6)
Ambig Averse	-0.015 (0.042)	0.117 (0.040)***	-0.066 (0.033)**	-0.016 (0.008)*	0.014 (0.008)*	0.035 (0.015)**
Risk Averse	-0.047 (0.043)	0.032 (0.041)	-0.049 (0.034)	-0.005 (0.009)	-0.017 (0.008)**	-0.036 (0.015)**
Compute Interest	0.002 (0.043)	-0.043 (0.04)	-0.007 (0.033)	0.003 (0.009)	-0.006 (0.008)	-0.014 (0.016)
Confidence	0.037 (0.043)	0.017 (0.041)	0.039 (0.033)	-0.005 (0.009)	0.009 (0.008)	0.02 (0.015)
Hyperbolic	0.039 (0.052)	0.044 (0.046)	0.017 (0.037)	0.003 (0.012)	-0.01 (0.009)	-0.022 (0.018)
Risky Share					0.111 (0.023)***	0.015 (0.031)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
Time Dummies	Yes	Yes	Yes	Yes	Yes	Yes
Number of Obs	77700	35634	76365	27020	76281	34215
Number of Clusters	451	310	451	291	451	309
R-squared	0.053	0.117	0.221	0.157	0.208	0.439

NOTE: This table reports the results of OLS regressions. In column 1, the dependent variable is a dummy equal to 1 if the contract contains some risky asset. In column 2, the sample includes only risky contracts and the dependent variable is a dummy equal to 1 if the value of the risky assets over the total value of the contract exceeds the median in the sample (that is equal to 0.51). In column 3, the dependent variable is a dummy equal to one if the total change in the risk profile exceeds in absolute value the median in the sample (that is equal to zero). In column 4, the dependent variable is a dummy equal to one if the ratio between active change and passive change in the risky share is strictly positive, and zero if the ratio is strictly negative. Active change and passive change are defined in equations (6) and (5) respectively. In columns 5-6, the dependent variable is the monthly returns of the contract in percentage points. Compute Interest is a dummy equal to 1 if the client could compute compound interest (see Appendix 8.1 for details). Confidence is a dummy equal to 1 if the client reports a high level of confidence (see Appendix 8.1 for details). Hyperbolic is a dummy equal to 1 if the client has present biased preferences (see Appendix 8.1 for details). Risky Share is the value of the risky assets over the total value of the contract. Controls include age, gender, education, marital status, income, financial assets and total wealth. Robust standard errors, clustered at the individual level, are in brackets. *, ** and *** denotes significance at 10%, 5% and 1% level, respectively.

Table 10: Fraction of Wealth Invested

Dep Variable	Risky Contract	High Risk	Total Change	Chaser	Monthly Returns (in %)	
	(1)	(2)	(3)	(4)	(5)	(6)
Ambig Averse	-0.083 (0.055)	0.123 (0.055)**	-0.101 (0.043)**	-0.024 (0.011)**	0.018 (0.010)*	0.048 (0.021)**
Risk Averse	-0.043 (0.056)	0.041 (0.053)	-0.066 (0.042)	0.006 (0.011)	-0.016 (0.01)	-0.033 (0.021)
Low Invest*Ambig	0.175 (0.080)**	-0.059 (0.085)	0.089 (0.069)	0.012 (0.016)	-0.017 (0.015)	-0.048 (0.029)*
Low Invest*Risk	-0.007 (0.083)	0.006 (0.081)	0.049 (0.068)	-0.025 (0.016)	0.005 (0.013)	0.013 (0.029)
Low Invest	-0.082 (0.067)	0.114 (0.069)*	-0.082 (0.057)	0.024 (0.012)*	0.014 (0.015)	0.036 (0.025)
Risky Share					0.105 (0.021)***	0.003 (0.029)
Controls	Yes	Yes	Yes	Yes	Yes	Yes
Time Dummies	Yes	Yes	Yes	Yes	Yes	Yes
Number of Obs	77310	35369	75989	26809	75894	33953
Number of Clusters	443	306	443	288	443	305
R-squared	0.058	0.119	0.22	0.159	0.208	0.44

NOTE: This table reports the results of OLS regressions. In column 1, the dependent variable is a dummy equal to 1 if the contract contains some risky asset. In column 2, the sample includes only risky contracts and the dependent variable is a dummy equal to 1 if the value of the risky assets over the total value of the contract exceeds the median in the sample (that is equal to 0.51). In column 3, the dependent variable is a dummy equal to one if the total change in the risk profile exceeds in absolute value the median in the sample (that is equal to zero). In column 4, the dependent variable is a dummy equal to one if the ratio between active change and passive change in the risky share is strictly positive, and zero if the ratio is strictly negative. Active change and passive change are defined in equations (6) and (5) respectively. In columns 5-6, the dependent variable is the monthly returns of the contract in percentage points. Low Invest is a dummy equal to 1 if the fraction of wealth invested in the contracts is below the median in the sample (equal to 0.06). Low Invest*Ambig refers to the interaction between Low Invest and Ambig Averse. Low Invest*Risk refers to the interaction between Low Invest and Risk Averse. Risky Share is the value of the risky assets over the total value of the contract. Controls include age, gender, education, marital status, income, financial assets and total wealth. Robust standard errors, clustered at the individual level, are in brackets. *, ** and *** denotes significance at 10%, 5% and 1% level, respectively.