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# Time Use During The Great Recession: Comment 

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#### Abstract

This paper is a comment on the analysis of "Time Use During the Great Recession" conducted by Aguiar, Hurst and Karabarbounis. We derive an opportunity cost by exploring the substitution between individual's time and monetary resources and show that the changes in non-market activities during the Great Recession compensate to some extend the decrease of individuals' monetary resources.


Keywords: Household Production, Time Allocation, Wealth, Business Fluctuations, Cycles.
JEL: D31, E32, J22.

## 1 Introduction

In an innovative paper, Mark A. Aguiar, Erik Hurst and Loukas Karabarbounis (2013), AHK hereafter, explore the time allocation of the individuals in the United States during the Great Recession. They find that $50 \%$ of the decline in the market work hours during the recession are compensated by an increase in leisure, and $30 \%$ by an increase in nonmarket work. As nonmarket work represents roughly $60 \%$ of the time devoted to market work, the elasticity of nonmarket work with respect to market work is -0.5 , indicating an important substitution between market work and nonmarket work.

Job search and other income generating activities increase no more than $10 \%$ during the Great Recession, suggesting that individuals choose to do non-market

[^0]activities rather than spending time trying to find a job (which is harder during crises) or to work for a low wage. The results of AHK show therefore that it is crucial to include the time component to asses the welfare effects of crises. As remarked by Mark A. Aguiar and Erik Hurst (2007a), "if leisure time has value, our results suggest that welfare calculations about the growing inequality based solely on changing incomes or changing expenditures may be incomplete." In addition, in their discussion of the implications of their findings for business cycle models, AHK mention that "home production can make a difference" because "shifts in relative prices cause households to substitute goods and time ... intratemporally between the market and the home sector" and "volatility in goods and labor markets arises because of relative productivity differences between the two sectors".

The household production model, where the utility and the full income constraint depend on individuals' times, presents an attractive way to explore welfare changes and the substitutions between time and goods at the individual level while incoporating the time component. For an empirical application, we match the dataset used by AHK with the Consumer Expenditure (CE) survey and estimate the opportunity cost of time as well as the parameters of the utility and the household production functions.

Using these estimations, we are able to value time and explore the intratemporal substitution between goods and time, the variations of individuals' full expenditures, and the evolution of their utilities during the Great Recession. We can therefore quantify, among others, the welfare implications of individuals' time allocations described in AHK.

## 2 Method and Data

Following François Gardes (2014) we assume that the consumer combines time use with monetary expenditures to produce activities that generate utility in a model where the market work time is valued by the consumer's wage rate, denoted $w$, whereas time allocated to other activities (e.g., leisure or nonmarket work) is valued by an opportunity cost corresponding to a shadow wage, denoted $\omega$. The opportunity
cost is given by the ratio of the derivatives of the utility function with respect to the total disposable time and to the consumer's income. A detailed presentation of the model and the derivation of the opportunity cost of time is presented in the Appendix.

The model is estimated on a dataset obtained by matching the American Time Use Survey (ATUS) as it was processed by AHK with the Consumer Expenditure (CE) survey. We use the FMLI file which contains households' characteristics, income, and summary level expenditures. Since the data used by AHK informs the weekly time allocation of one individual within the household, we transform households' quarterly expenditures into weekly per capita expenditures using the equivalence scale proposed by the OECD which consist in dividing expenditures by the square root of the family size. We also divide expenditures by the price index to obtain real expenditures. Finally, we drop all individuals above 65 and below 18 as in AHK.

Since the estimation of the opportunity cost requires prior estimates of the production functions' parameters, we define five activities for which the monetary and time inputs can be accurately identified: leisure, housing (including home work), transport, food, and others. We then match the ATUS and the CE survey using the statistical matching procedure proposed by Donald B. Rubin (1986) and developed for Stata by Anil Alpman (2015). When time allocation is informed by the ATUS and the income allocation by the CE survey, and both datasets contain variables in common, Rubin's procedure allows to impute expenditures allocated to activity $i$ as a function of time allocated to $i$ and of the control variables, assuming a partial correlation value of -0.2 between expenditures and time allocated to activity $i$ given the control variables (i.e., state, region, education, age, martial status, number of child, sex, and race). ${ }^{1}$

[^1]
## 3 Results

The results indicate (Table 1) that the opportunity cost of time is, on average, $10.65 \$$, that is, $54 \%$ of the real wage rate. Estimates made on french and canadian data produce comparable results (Gardes, 2014). ${ }^{2}$ In addition, Figure 1 shows that the evolution of the opportunity cost follows the economic cycle as predicted by the time allocation theory: during the period of sustained growth (2004-2006), the opportunity cost of time has an increasing trend and its average value over this period is equal to $9.43 \$$. As the economic activity slows down significantly in 2007, the opportunity cost decreases by $19.4 \%$. It continues to decrease by $15.6 \%$ between 2007 and 2008 and reaches its lowest value during the Great Recession in 2009 (i.e., $6.05 \$$ ). Over the recovery period (2010-2012), the values of the opportunity cost and of the GDP per capita growth are higher than their crisis values but lower than their values during the sustained growth period: the opportunity cost fluctuates around $7.95 \$$ between 2010 and 2012.

Since the labor market becomes more attractive for the consumer during growth periods (because of higher wage rates and higher probabilities of finding a job), in theory the opportunity cost of time should increase and, as a consequence, time allocated to market work should also increase. Thus, the time input is expected to be substituted by market goods in the production of activities. Figure 1 shows that our results match the theory: during the period of sustained growth (20042006), the geometric weighted mean of expenditures (i.e., $m^{\prime}$ ) increases roughly by $11 \%$ and reaches its peak in 2006 while the geometric weighted mean of time inputs (i.e., $t^{\prime}$ ) reaches the same year its lowest value (during the same period, the market work time also increases according to AHK). Between 2007 and 2009, $\mathrm{m}^{\prime}$ decreases roughly by $9 \%$ per year whereas $t^{\prime}$ increases by $2 \%$ and reaches its highest value in 2009. During the recovery period, $m^{\prime}$ and $t^{\prime}$ gravitates around a lower and higher trends, respectively, than their pre-crisis trends.

The results of AHK indicate that when market work time decreases by $1 \%$, time

[^2]Table 1: Descritive Statistics of Estimated Parameters

| Cable 1: Descritive Statistics of Estimated Parameters |  |  |  |  |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |  |  |
| Variables | 2004 | 2005 | 2006 | 2007 | 2008 | 2009 | 2010 | 2011 | 2012 |
| $\omega$ | 9.51 | 9.05 | 9.74 | 7.85 | 6.62 | 6.05 | 8.10 | 7.93 | 7.83 |
|  | $(0.10)$ | $(0.10)$ | $(0.12)$ | $(0.11)$ | $(0.08)$ | $(0.08)$ | $(0.13)$ | $(0.12)$ | $(0.12)$ |
| $m^{\prime}$ | 222.82 | 239.19 | 247.42 | 237.84 | 227.77 | 216.54 | 226.74 | 215.63 | 221.20 |
| $t^{\prime}$ | 19.44 | 19.76 | 19.19 | 19.82 | 19.76 | 20.24 | 20.03 | 20.21 | 20.17 |
| $\sigma$ | -0.41 | -0.48 | -0.45 | -0.30 | -0.35 | -0.39 | -0.35 | -0.24 | -0.37 |
|  | $(0.04)$ | $(0.04)$ | $(0.04)$ | $(0.04)$ | $(0.05)$ | $(0.05)$ | $(0.04)$ | $(0.05)$ | $(0.05)$ |
| $e_{t^{\prime} / t_{w}}$ | -0.27 | -0.26 | -0.29 | -0.31 | -0.29 | -0.28 | -0.29 | -0.28 | -0.27 |
| $e_{t^{\prime} / \omega}$ | -0.07 | -0.08 | -0.08 | -0.13 | -0.15 | -0.13 | -0.13 | -0.11 | -0.13 |
| $y^{f}$ | $1,859.94$ | $1,895.20$ | $1,947.40$ | $1,802.94$ | $1,646.89$ | $1,546.25$ | $1,748.92$ | $1,678.66$ | $1,706.29$ |
| $u$ | 106.93 | 112.65 | 113.21 | 112.62 | 109.26 | 106.64 | 109.41 | 106.94 | 108.10 |
| GDP per |  |  |  |  |  |  |  |  |  |
| capita growth | 2.8 | 2.4 | 1.7 | 0.8 | -1.2 | -3.7 | 1.7 | 1.1 | 2 |

$\overline{\text { Notes: } \omega} \omega$ is the average opportunity cost of time for the whole population and the standard error of this mean multiplied by $10^{2}$ is in parentheses; $m^{\prime}$ and $t^{\prime}$ are the geometric weighted means of monetary and time inputs, respectively; $\sigma=$ $\partial \log \left(t^{\prime} / m^{\prime}\right) / \partial \log (\omega)$ is the elasticity of substitution between time and expenditures with its standard error in parentheses; $e_{t^{\prime} / t_{w}}$ and $e_{t^{\prime} / \omega}$ are the elasticities of $t^{\prime}$ with respect to the market work time and the opportunity cost of time, respectively; $y^{f}$ is the full expenditure; and $u$ is the utility. All the variables have been estimated at the individual level and averaged over the population.
allocated to various activities increases, on average, by $0.23 \% .^{3}$ The substitution between monetary and time inputs, on the other hand, can be estimated by the elasticity of substitution $\sigma$ defined as $\sigma=\partial \log \left(t^{\prime} / m^{\prime}\right) / \partial \log (\omega)$. Our results show that $\sigma$ is -0.37 on average (Hamermesh [2008] and Gardes et al. [2014] obtain comparable values). Note that $\sigma$ includes implicitely, through the variation of $t^{\prime}$, the substitution between market work time and time allocated to other activities; in addition, $\sigma$ contains an income effect (through the changes of $t_{w}$ and the opportunity cost). Thus, along with the elasticities computed by AHK, the value of $\sigma$ is an additional result which should be accounted for in the analysis of business cycles.

Another important indicator that captures the relation between the monetary and the temporal components is the full expenditure (see equation [A3] in the Appendix), $63 \%$ of which is constituted by monetary expenditures. Figure 2 shows that

[^3]during the sustained growth period, the full expenditure increases by $4.7 \%$; this increase is mainly driven by higher quantities of market goods since expenditures are in real terms. However, the full expenditure decreases by $7.42 \%$ between 2006 and $2007,8.66 \%$ between 2007 and 2008, and it reaches its lowest value, $1,546.25 \$$, during the Great Recession after decreasing by $6.11 \%$ between 2008 and 2009. During the recovery period, the full expenditure increases by $13.11 \%$ but remains under its pre-crisis values. Note that all these changes are greater than those of the per capita growth rate of GDP.

The evolutions between 2006 and 2009 of the components of the full expenditure show that the monetary and the time expenditures have decreased by $10.28 \%$ (i.e., $120.64 \$$ ) and $20.60 \%$ (i.e., $280.52 \$$ ), respectively, while the time allocated to various activities (i.e., $\sum t_{i}$ ) has increased by $1.92 \%$. According to these results, the decrease of monetary expenditures during the Great Recession is induced by lower quantities of market goods whereas the decrease of the time expenditure is induced by the decrease of the opportunity cost of time, which leads to an increase of the time allocated to various non-market activities. Indeed, the elasticity of $t^{\prime}$ with respect


Figure 1: The opportunity cost of time $(w)$ and the geometric weighted means of monetary $\left(m^{\prime}\right)$ and time $\left(t^{\prime}\right)$ inputs.
to the opportunity cost (when the market work time and individual characteristics are controlled for) is -0.08 between 2004 and 2006, -0.14 between 2007 and 2009, and -0.12 between 2010 and 2012. In addition to the forgone market work time, the decrease of the opportunity cost of time is therefore an important factor explaining the increase of the time allocated to various activities during the Great Recession. (Note that our estimations indicate that the elasticity of $t^{\prime}$ with respect to the market work time is -0.28 , which is very similar to the average weighted elasticity, -0.23 , computed using the elasticities informed in AHK).

The decrease of the cost of time and the possibility to substitute time to market goods when market work time decreases should imply that the evolution of the time component during the Great Recession reduces the negative impact of the crisis on individuals' welfares. The latter is explored by estimating the indirect utility, which is a function of time and expenditures (see equation [A2] in the Appendix). Note that the evolution of the utility (see Figure 2), on average, is very much as expected: during the period of sustained growth (2004-2006), utility increases while it decreases slightly as the economic activity slows down in 2007 . When the growth rate of the GDP per capita becomes negative in 2008, the utility decreases significantly. During the Great Recession, the utility continues to decrease ( $-2.4 \%$ between 2008 and


Figure 2: The utility ( $u$ ) and the Full Expenditure ( $y^{f}$ )
2009) and it reaches its lowest value (which is slightly below its 2004 level). Within the recovery period (2010-2012) the utility fluctuates at a higher level than the crisis but it remains lower to its pre-crisis level. We find that the elasticities of the utility with respect to $m^{\prime}$ and $t^{\prime}$ are 0.64 and 0.44 , respectively. Finally, if $t^{\prime}$ was fixed at its 2006 value, the decrease rate of the utility would have been roughly $33 \%$ stronger. Therefore, the time component attenuates indeed the negative impact of the crisis.

## 4 Conclusion

Our findings add to the results and discussions of AHK mainly in three points. First, we provide empirical evidence that changes in the opportunity cost of time, which affect relative prices, leads market goods to be substituted by time intratemporally: the elasticity of the substitution between expenditures and time with respect to the opportunity cost is -0.37 on average. Second, the decrease of the opportunity cost induces indeed a higher volatility in the labor market since the elasticity of the geometric weighted mean of time allocated to various activities (other than market work time) with respect to the opportunity cost is -0.13 during the Great Recession. Third, the evolutions of the allocation and the cost of time reduce the negative impact of the crisis: the decrease rate of the utility during the Great Recession would have been roughly $33 \%$ higher if changes in the allocation of time were ignored.

In addition, our findings suggest that, on average, $48 \%$ of the increase of the time allocated to non-market activities are explained by the decrease of the opportunity cost of time and $52 \%$ by the forgone market work hours. As mentioned by AHK, this decomposition is important for understanding how much of the time allocated to human capital during the Great Recession "contributes to the long-run stock of human capital."

Given the purpose of this paper, we discussed the implications of our findings for the average individual. Yet, the responses of individuals to the Great Recession are conditional on characteristics such as age, marital status, employment status, gender, and number of child. Such a study is left for future research.

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## Appendix

Following Gardes (2014), we assume that the consumer's utility is given by $u(Q)=$ $\prod_{i} a_{i} Q_{i}^{\gamma_{i}}$ where $Q_{i}$ is the activity $i$ produced by the combination of monetary ( $m$ ) and time $(t)$ inputs: $Q_{i}=b_{i} m_{i}^{\alpha_{i}} t_{i}^{\beta_{i}}$ where $m_{i}=x_{i} p_{i}$ with $x_{i}$ the quantity of the market good $i$ and $p_{i}$ its price. A Cobb-Douglass structure has been assumed both for the utility and for the production functions in order to simplify the derivation of the optimization program. The parameters are estimated locally (i.e., for each observation in the dataset), so that this specification assumes simply constant substitution between time and monetary ressources in a neighborhood of each individual's equilibrium point.

Combining the utility and the production functions allows to express the utility in terms of inputs:

$$
\begin{align*}
u(m, t) & =\prod_{i} a_{i} b_{i}\left(\prod_{i} m_{i}^{\sum_{i} \gamma_{i}}\right)^{\sum \alpha_{i} \gamma_{i}}\left(\prod_{i} t_{i}^{\frac{\beta_{i} \gamma_{i}}{\sum \beta_{i} \gamma_{i}}}\right)^{\sum \beta_{i} \gamma_{i}}  \tag{A1}\\
& =a m^{\prime \sum \alpha \gamma_{i}} t^{\prime \sum \beta_{i} \gamma_{i}} \tag{A2}
\end{align*}
$$

where $m^{\prime}$ and $t^{\prime}$ are geometric weighted means of the monetary and time inputs. When there exist some imperfections on the labor market, $w$ may differ from the opportunity cost of time $\omega$ such that the full expenditure writes:

$$
\begin{equation*}
\sum_{i}^{n}\left(p_{i} x_{i}+\omega t_{i}\right)=w T+(\omega-w)\left(T-t_{w}\right)+V \tag{A3}
\end{equation*}
$$

where $t_{w}$ is time allocated to market work, $T=\sum t_{i}+t_{w}$ is total time, and $V$ is non-market income less savings. The optimization program consist in maximizing equation (A2) subject to equation (A3).

Denoting the monetary income by $Y=w t_{w}+V$, the opportunity cost of time is given by

$$
\begin{equation*}
\omega=\frac{\frac{\partial u}{\partial t^{\prime}} \frac{\partial t^{\prime}}{\partial T}}{\frac{\partial u}{\partial m^{\prime}} \frac{\partial m^{\prime}}{\partial Y}}=\frac{m^{\prime} \sum \beta_{i} \gamma_{i} \frac{\partial t^{\prime}}{\partial T}}{t^{\prime} \sum \alpha_{i} \gamma_{i} \frac{\partial m^{\prime}}{\partial Y}} \tag{A4}
\end{equation*}
$$

The substitution between time and money in the production function of activity $i$ generates the following first order conditions:

$$
\begin{equation*}
\alpha_{i}=\frac{m_{i}}{\omega t_{i}+m_{i}} \quad \text { and } \quad \beta_{i}=\frac{\omega t_{i}}{\omega t_{i}+m_{i}} \tag{A5}
\end{equation*}
$$

under the constraint of a constant economy of scale for each production function, that is, $\alpha_{i}+\beta_{i}=1$.

Consider now the substitution between times $t_{i}$ and $t_{j}$ in the production functions of two different activities $i$ and $j$ : this substitution implies another condition between the parameters of the utility and the production functions:

$$
\begin{equation*}
\frac{\gamma_{i}}{\gamma_{j}}=\frac{\beta_{j} t_{i}}{\beta_{i} t_{j}}=\frac{a_{j} m_{i}}{a_{i} m_{j}} \tag{A6}
\end{equation*}
$$

All other substitutions between monetary and time ressources devoted to different activities can be derived from equations (A5) and (A6).

Equation (A6) implies for all activities:

$$
\begin{equation*}
m_{i} \gamma_{j}=m_{j} \gamma_{i}+\omega \gamma_{i} t_{j}-\omega \gamma_{j} t_{i} \tag{A7}
\end{equation*}
$$

Equation (A7) can be estimated as a system of $(n-1)$ equations for $j=1$ and $i=2,3, \ldots, n$ under the constraint of $\sum \gamma_{i}=1$ or fixing $\gamma_{j}$ as the full budget share of one of the activities, for instance food. In this system, $\omega$ and $\gamma_{j}$ are over-identified.

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## Online Appendix

## I. Introduction

This appendix provides a step-by-step guide explaining the construction of the dataset used in Alpman and Gardes (2015) and how to reproduce the results discussed in that paper. The main folder ce_atus contains all the necessary files for this task and it is organized as shown in Table 1.

Table 1: Main Folder Organization

| Main folder | Sub 1 |
| :--- | :--- |
| ce_atus | atus |
|  | ce |
|  | ce_atus |
|  | ce_atus_matched |
|  | do-files and documents |
|  | TU_CE_2014.dta |

To obtain the intermediate and final datasets, all the necessary do-files are contained in the folder do-files and documents. The organization of the latter is shown in Table 2.

## II. The American Time Use Survey (ATUS)

The American Time Use Survey (ATUS) provides microdata about individuals' time allocations. ${ }^{1}$ The survey reports the time allocated to various activities that the respondents have carried out during 24 hours, starting at 4 a.m. the day before the interview and ending at 4 a.m. the day of the interview. A detailed description of the ATUS is provided by Aguiar et al. (2013).

[^4]Table 2: The do-files and documents Folder

| Sub 1 | Sub 2 |
| :--- | :--- |
| do-files and documents | 1. instructions.do, |
|  | 1.1 merge atus.do, |
|  | 1.2 time categories.do, |
|  | 2.1 destring.do, |
|  | 3. recode.do, |
|  | 4. matching.do, |
|  | 5. opportunity_cost_2004_2012 |
|  | 6. results.do |
|  | 7. appendix.do |

Table 3 shows the organization of the atus folder: 1_original_files contains the files as downloaded from the internet site of the Bureau of Labor Statistics (BLS). To use the data contained in these files, it must be "extracted"; to do so, use the do-files provided by the BLS (see do-files in column 5 of Table 3). Then, informations contained in the various extracted files must be regrouped. For this, we use the do-files provided by Aguiar et al. (2013), which we have saved under the name 1.1 merge atus in the do-files and documents folder. After the merging procedure, the data of Aguiar et al. (2013) are obtained by running the 1.2 time categories do-file. This do-file was originally written by Aguiar et al. (2013); however, we add 7 new time categories (see Table 4). The purpose of these new time categories is to identify the monetary counterpart of the time allocated to an activity. For instance, we create the total transport time category so that we identify the counterpart of transport expenditures as the total time allocated to transport (thus, we remove transport time related with other activities). The resulting file, atus_04_12.dta, contained in the folder 5_atus_04_12, allows to reproduce the results of Table 1 and 2 in Aguiar et al. (2013).

## III. The Consumer Expenditure Survey (CE)

The Consumer Expenditure (CE) Survey, which consists of the Quarterly Interview Survey and the Diary Survey, provides microdata regarding individuals' income allocations (i.e., their expenditures). ${ }^{2}$ The Interview survey contains data on monthly expenditures, income, and households' characteristics, while the Diary Survey contains data on weekly expenditures of frequently purchased items, income, and households' characteristics. Both of these surveys include various files for each quarter.

[^5]Table 3: atus Folder Organization

| Sub 1 | Sub 2 | Sub 3 | Sub 4 | Sub 5 |
| :---: | :---: | :---: | :---: | :---: |
| atus | 1_original_files | $2004$ <br> 2012 | atusact_2004 <br> atuscps_2004 <br> atusresp_2004 <br> atusrost_2004 <br> atussum2004 <br> atuswho_2004 <br> atusact_2012 <br> atuswho_2012 | atusact_2004.dat, atusact_2004.do, ... $\qquad$ $\qquad$ $\qquad$ $\qquad$ <br> atuswho_2004.dat, atuswho_2004.do, ... $\qquad$ <br> atusact_2012.dat, atusact_2012.do, ... $\qquad$ <br> atusact_2012.dat, atusact_2012.do, ... |
|  | 2_extracted_data | $\begin{gathered} 2004 \\ \vdots \\ \vdots \\ \vdots \\ \vdots \end{gathered}$ | act_2004.dta, cps_2004.dta, resp_2004.dta, rost_2004.dta, sum_2004.dta, who_2004.dta <br> act_2012.dta, ..., who_2012.dta |  |
|  | 3_merged_data | atus_2004.dta, ..., atus_2012.dta |  |  |
|  | 4_time_groups | atus_2004.dta, ..., atus_2012.dta |  |  |
|  | 5_atus_04_12 | atus_04_12.dta |  |  |

Table 4: New Time Categories

| Main | codes |
| :---: | :---: |
| time_market_work | 05-01; 05-02 |
| time_home_work | $\begin{aligned} & \text { 02-01; 02-03; 02-04; } \\ & \text { 02-05; 02-08; 02-09; } \\ & 02-99 ; 09-01 ; 09-02 ; \\ & 09-04 \end{aligned}$ |
| time_leisure | 12; 13 |
| time_food | $\begin{aligned} & 02-02 ; 07-01-01 \\ & 07-01-03 ; 11 \end{aligned}$ |
| time_transport | $\begin{aligned} & \text { 07-01-02; 09-05 } \\ & 18 \text { (17 for the year 2004) } \end{aligned}$ |
| time_health | 01-03; 08-04 |
| time_personal_care | $\begin{aligned} & 01-02 ; 01-04 \\ & 01-99 ; 08-05 \end{aligned}$ |

We use the FMLI file contained in the Interview survey; the former is "a file with characteristics, income, and summary level expenditures for the household" (http://www.bls.gov/ cex/pumdhome.htm). Table 5 shows the organization of the ce folder: the 1 _original_data folder contains the CE survey as downloaded from the internet site of the BLS. To be used in Stata, the data must be "destringed"; to do so, use the do-file 2.1 destring. The "destringed" data is saved in the folder 2_destringed. The do-file 2.1 destring also appends the different quarters and years. The appended dataset, that is, ce_04_12.dta file, is saved in the folder 3_ce_04_12.

Table 5: ce Folder Organization

| Sub 1 | Sub 2 | Sub 3 | Sub 4 | Sub 5 |
| :---: | :---: | :---: | :---: | :---: |
| ce | 1_original_data | 2004 <br> 2012 | diary04 expn04 intrvw04 <br> diary12 <br> expn12 <br> intrvw12 | fmli041x.dta, fmli042.dta, fmli043.dta, fmli044.dta, fmli051.dta, ... <br> fmli121x.dta, fmli122.dta, fmli123.dta, fmli124.dta, fmli131.dta, ... |
|  | 2_destringed | ce_2004.dta, ce_2005.dta, ce_2006.dta, ce_2007.dta, ce_2008.dta, ce_2009.dta, ce_2010.dta, ce_2011.dta, ce_2012.dta, | fmli041x.dta, fmli042.dta, fmli043.dta, fmli044.dta, fmli051.dta <br> fmli121x.dta, fmli122.dta, fmli123.dta, fmli124.dta, fmli131.dta |  |
|  | 3_ce_04_12 | ce_04_12.dta |  |  |

## IV. Recoding

To prepare the ATUS and the CE survey for the matching procedure, we recode the control variables and generate the variables of interest. Table 6 presents the organization of the ce_atus folder (not to be confused with the main folder). To obtain the ce_atus_appended.dta file, the 3 . recode do-file must be used.

The control variables that we use during the matching procedure are region, state, edu (i.e., education), age, married, num_child (i.e., the number of child), male, and black. The education variable is equal to 1 for lower than high school, 2 for high school diploma, 3 for some university without the bachelor degree, 4 for bachelor degree, and 5 for master or more. In the ATUS, Iowa (19), New Mexico (35), North Dakota (38), Vermont (50), and Wyoming (56) are dropped because these States are not included in the CE survey and it would therefore create a mismatch.

Since the CE is a quarterly survey, the monthly expenditures cover 3 months. Given the date of interview, some expenditures may have been carried out during the quarter of the interview and some others may have been carried out during the previous quarter, see Table 7. For example, if the survey was conducted in April 2005, the expenditures of the previous 3 months are recorded as a previous quarter expenditure (informed by the $p q$ suffix). However, if the survey was conduced in March 2005, the expenditures of January and February took place in the current quarter (informed by the _cq suffix) while expenditures conducted in December of the previous year are coded as previous quarter expenditures.

Thus, the total expenditures on the previous 3 months are previous quarter expenditures plus current quarter expenditures. Since the data used by Aguiar et al. (2013) informs weekly time allocation of one individual of the household, we transform households' quarterly expenditures into weekly (i.e., dividing by 12) per capita expenditures using an equivalence scale proposed by the OECD that consist in dividing expenditures by the square root of the family size. Finally, we also divide expenditures by the price index to obtain real expenditures.

Table 6: ce_atus Folder organization

| Sub 1 | Sub 2 |
| :--- | :--- |
| ce_atus | atus_recoded.dta, <br> ce_atus_appended.dta, <br> ce_recoded.dta |
|  | 5 |

Table 7: The Recording of Expenditures

|  | Oct. <br> $(2004)$ | Nov. <br> $(2004)$ | Dec. <br> $(2004)$ | Jan. <br> $(2005)$ | Feb. <br> $(2005)$ | March <br> $(2005)$ | April <br> $(2005)$ | May <br> $(2005)$ | June <br> $(2005)$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Ex. 1 |  |  |  |  |  | x | x | x | Inter. |
| Ex. 2 |  |  |  | x | x | x | Inter. |  |  |
| Ex. 3 |  |  | x | x | x | Inter. |  |  |  |
| Ex. 4 | x | x | x | Inter. |  |  |  |  |  |

We also transform the nominal wage rate informed in the dataset of Aguiar et al. (2013) into a real wage rate. Our key expenditure categories are presented in Table 8. Finally, as in Aguiar et al. (2013), we drop all individuals above 65 , below 18 , and for whom unclassified_paper $>0$

## V. Matching

We match the ATUS and the CE survey using the statistical matching procedure proposed by Rubin (1986). When time allocation is informed by the ATUS and income allocation by the CE survey, and both datasets contain variables in common, the procedure of Rubin allows to impute expenditures for activity $i$ as a function of time allocated to activity $i$ and of the control variables. In Stata, we use the smpred and smmatch programs written by Alpman (2015); the latter shows that, when the partial correlation between two variables to be matched given the control variables is different than zero,

Table 8: Expenditure Categories

| Variable new name | Formula (with the name in the CE survey dataset) |
| :---: | :---: |
| total_exp | totexppq+ totexpcq |
| total_house <br> = total_housing + domestic_service | (houspq+ houscq)+(dmsxccpq+ dmsxcccq) |
| $\begin{aligned} & \text { total_leisure } \\ & =\text { entertain }+ \text { trip + alcohol_beverage } \\ & \text { + pet_toys + reading + tobacco } \end{aligned}$ | $($ entertpq + entertcq $)+($ ttotalp + ttotalc $)+($ alcbevpq + alcbevcq $)+$ <br> (pettoypq + pettoycq) + (readpq + readcq) $+($ tobaccpq + tobacccq $)$ |
| total_food | foodpq+ foodcq |
| total_transport | transpq + transcq |
| total_other | total_exp - (total_house + total_leisure + total_food + total_transport) |

Rubin's procedure yields better results than assuming that the variables to be matched are conditionally independent (which is the case in most statistical matching procedures).

In France, the elasticity of the geometric weighted mean of time input with respect to (w.r.t. hereafter) the opportunity cost is -0.16 when estimated directly using the INSEE 2000 dataset (Gardes, 2014). The weighted average elasticity of time allocated to various activities (e.g., food and home work) is -0.166 , which is very close to the previous estimate. On the other hand, the elasticity of the monetary input w.r.t. the opportunity cost, which is computed by the weighted average of the elasticities estimated for each activity (Gardes, 2014, Table 3) is 0.305 . The resulting marginal propensity of time over money computed by the ratio between these two elasticities corrected by the ratio of their average values is -0.103 in France. The elasticity of the time input w.r.t. the opportunity cost can be derived by dividing the elasticity of the monetary input w.r.t. the opportunity cost of time over the elasticity of the monetary input w.r.t. the time input. This ratio is -0.51 , which is higher, in absolute value, than the direct estimate -0.16 . With this method the marginal propensity of time over money is -0.34 . In Canada, the partial correlation between the time and the monetary input is -0.11 for food, -0.20 for leisure, -0.21 for housing, and -0.03 for other expenditures. Thus, the average partial correlation of these activities which represent $82 \%$ of the total full expenditure is -0.16 . Therefore, by taking the average of the values observed for France and Canada, we assume a partial correlation of -0.2 between time and expenditures allocated to activity $i$ given the control variables (i.e., state, region, education, age, martial status, number of child, sex, and race).

Table 9: ce_atus_match Folder Organization

| Sub 1 | Sub 2 |
| :--- | :--- |
| ce_atus_match | ce_atus_2004.dta, |
|  | ce_atus_2004.dta, |
|  | ce_atus_2006.dta, |
|  | ce_atus_2007.dta, |
|  | ce_atus_2008.dta, |
|  | ce_atus_2009.dta, |
|  | ce_atus_2010.dta, |
|  | ce_atus_2011.dta, |
|  | ce_atus_2012.dta, |
|  | ce_atus_2003_2012.dta |
|  |  |

Therefore, among other, we match:

- total_house as a function of time_home_work and control variables
- total_leisure as a function of time_leisure and control variables
- total_food as a function of time food and control variables
- total_transport as a function of time_transport and control variables
- total_other as a function of time_other and control variables
- total_exp as a function of real_hour_wage and control variables (assuming a partial correlation value of 0.5 )

The matching procedure is performed using the 4. matching do-file (the smpred and smmatch programs must first be installed). First, expenditures on activity $i$ are predicted as a function of time allocated to activity $i$ and of the control variables. Then, given the predicted values and conditional on a second group of control variables, observations in the ATUS and CE survey are matched (see Rubin [1986] and Alpman [2015] for more detail on the matching step) and the observed value of the match is imputed for the missing value. To reduce the time of the matching step, the second group of control variables are region, age_group (equal to 1 if age $<30$, 2 if $29<$ age $<41,3$ if $40<$ age $<51$, and 4 if age $>50$ ), child_group (equal to 1 if number of child= $=0,2$ if number of child $=1,3$ if number of child between 2 and 4 , and 4 if number of child $>4$ ) education, married, male, and black. On an average computer (e.g., 2.9 GHz 2 core processor and 8 GB of RAM), the do-file 4. matching takes roughly 35 hours to be completed. The matched datasets are saved in the folder ce_atus_match folder (see Table 9).

Table 10 provides descriptive statistics of CE survey while Table 11 provides descriptive statistics of the imputed values on the dataset used to estimate the opportunity cost of time. Table 12 shows that the Rubin's matching procedure does not affect significantly the average values of imputed expenditures.

Table 10: Descriptive Statistics, CE Survey

| Year | total exp | leisure exp | house exp | food exp | transport exp | other exp |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 4}$ | 579.19 | 71.82 | 190.52 | 80.44 | 117.01 | 106.31 |
| $\mathbf{2 0 0 5}$ | 589.94 | 70.28 | 192.74 | 79.92 | 119.64 | 111.46 |
| 2006 | 605.88 | 73.96 | 207.93 | 82.26 | 116.74 | 112.52 |
| $\mathbf{2 0 0 7}$ | 610.60 | 71.05 | 208.69 | 92.87 | 112.95 | 111.62 |
| $\mathbf{2 0 0 8}$ | 606.70 | 73.13 | 205.36 | 92.89 | 111.84 | 109.41 |
| 2009 | 590.97 | 69.50 | 205.54 | 89.69 | 98.04 | 108.12 |
| $\mathbf{2 0 1 0}$ | 568.38 | 67.23 | 196.70 | 88.50 | 95.67 | 101.54 |
| $\mathbf{2 0 1 1}$ | 558.62 | 63.26 | 191.57 | 87.12 | 98.80 | 98.44 |
| $\mathbf{2 0 1 2}$ | 576.83 | 66.54 | 192.55 | 89.14 | 106.88 | 102.85 |

Notes: The highest $1 \%$ of total and house expenditures, and the lowest $5 \%$ of leisure expenditures were dropped

Table 11: Descriptive Statistics of Expenditures, Matched Dataset

| Year | total exp | leisure exp | house exp | food exp | transport exp | other exp |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 4}$ | 565.40 | 83.20 | 189.37 | 81.39 | 132.99 | 110.84 |
| 2005 | 589.80 | 77.34 | 197.55 | 82.16 | 131.47 | 121.79 |
| 2006 | 589.78 | 79.41 | 205.33 | 81.42 | 123.55 | 119.86 |
| 2007 | 579.85 | 72.85 | 200.78 | 92.57 | 124.53 | 118.96 |
| 2008 | 580.14 | 76.80 | 201.55 | 92.82 | 118.86 | 114.52 |
| 2009 | 580.22 | 73.81 | 203.94 | 91.45 | 106.55 | 116.29 |
| 2010 | 534.94 | 72.29 | 188.85 | 87.94 | 104.82 | 107.34 |
| 2011 | 538.28 | 65.87 | 184.64 | 87.66 | 102.97 | 106.94 |
| $\mathbf{2 0 1 2}$ | 555.99 | 72.18 | 190.10 | 90.18 | 116.67 | 115.82 |

Notes: The highest $1 \%$ of transport expenditures, and the highest $10 \%$ of other expenditures were dropped

Table 12: Ratio (CE Survey)/(Matched Dataset)

| Year | total exp | leisure exp | house exp | food exp | transport exp | other exp |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 4}$ | $2.4 \%$ | $-13.7 \%$ | $0.6 \%$ | $-1.2 \%$ | $-12.0 \%$ | $-4.1 \%$ |
| $\mathbf{2 0 0 5}$ | $0.0 \%$ | $-9.1 \%$ | $-2.4 \%$ | $-2.7 \%$ | $-9.0 \%$ | $-8.5 \%$ |
| $\mathbf{2 0 0 6}$ | $2.7 \%$ | $-6.9 \%$ | $1.3 \%$ | $1.0 \%$ | $-5.5 \%$ | $-6.1 \%$ |
| $\mathbf{2 0 0 7}$ | $5.3 \%$ | $-2.5 \%$ | $3.9 \%$ | $0.3 \%$ | $-9.3 \%$ | $-6.2 \%$ |
| $\mathbf{2 0 0 8}$ | $4.6 \%$ | $-4.8 \%$ | $1.9 \%$ | $0.1 \%$ | $-5.9 \%$ | $-4.5 \%$ |
| 2009 | $1.9 \%$ | $-5.8 \%$ | $0.8 \%$ | $-1.9 \%$ | $-8.0 \%$ | $-7.0 \%$ |
| 2010 | $6.3 \%$ | $-7.0 \%$ | $4.2 \%$ | $0.6 \%$ | $-8.7 \%$ | $-5.4 \%$ |
| 2011 | $3.8 \%$ | $-4.0 \%$ | $3.8 \%$ | $-0.6 \%$ | $-4.0 \%$ | $-8.0 \%$ |
| $\mathbf{2 0 1 2}$ | $3.7 \%$ | $-7.8 \%$ | $1.3 \%$ | $-1.2 \%$ | $-8.4 \%$ | $-11.2 \%$ |

## VI. Opportunity Cost

We begin by estimating the following system using a non-linear seemingly unrelated regressions model:

$$
\left\{\begin{array}{l}
m_{2} \gamma_{1}=m_{1} \gamma_{2}+\omega \gamma_{2} t_{1}-\omega \gamma_{1} t_{2} \\
m_{3} \gamma_{1}=m_{1} \gamma_{3}+\omega \gamma_{3} t_{1}-\omega \gamma_{1} t_{3} \\
\ldots \\
m_{n} \gamma_{1}=m_{1} \gamma_{n}+\omega \gamma_{n} t_{1}-\omega \gamma_{1} t_{n}
\end{array}\right.
$$

We define $\gamma_{1}$ as the full budget share of food, which requires the wage rate of individuals. Therefore, we lose units for which the wage rate is not observed.

This estimation yields a unique $\omega$ (see Table 13), and the $\gamma$ of each activity (Table 14). Note that the $\sum \gamma$ is roughly equal to one for each year. Using the estimated $\omega$, the $\alpha$ and the $\beta$ corresponding to each activity is estimated using the following equations (see Table 15 and 16):

$$
\alpha_{i}=\frac{m_{i}}{\omega t_{i}+m_{i}} \quad \text { and } \quad \beta_{i}=\frac{\omega t_{i}}{\omega t_{i}+m_{i}}
$$

Using $\alpha$ and the $\beta$, we compute $m^{\prime}$ and $t^{\prime}$. Using the latter, we finally compute the individual opportunity cost using the equation

$$
\omega=\frac{\frac{\partial u}{\partial t^{\prime}} \frac{\partial t^{\prime}}{\partial T}}{\frac{\partial u}{\partial m^{\prime}} \frac{\partial m^{\prime}}{\partial Y}}=\frac{m^{\prime} \sum \beta_{i} \gamma_{i} \frac{\partial t^{\prime}}{\partial T}}{t^{\prime} \sum \alpha_{i} \gamma_{i} \frac{\partial m^{\prime}}{\partial Y}}
$$

Table 13: First-step Opportunity Cost

| year | First Step Opportunity Cost |
| :--- | :---: |
| 2004 | 6.057 |
| 2005 | 5.689 |
| 2006 | 6.227 |
| 2007 | 4.857 |
| 2008 | 5.266 |
| 2009 | 4.769 |
| 2010 | 4.864 |
| 2011 | 4.874 |
| 2012 | 4.921 |

Table 14: Values of $\gamma$

| year | leisure | house work | food | transport | other | $\boldsymbol{\Sigma} \gamma$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{2 0 0 4}$ | 0.24 | 0.22 | 0.12 | 0.27 | 0.22 | 1.07 |
| 2005 | 0.22 | 0.25 | 0.12 | 0.27 | 0.26 | 1.12 |
| 2006 | 0.25 | 0.26 | 0.12 | 0.27 | 0.26 | 1.17 |
| 2007 | 0.21 | 0.24 | 0.13 | 0.24 | 0.24 | 1.05 |
| 2008 | 0.22 | 0.24 | 0.12 | 0.24 | 0.22 | 1.04 |
| 2009 | 0.21 | 0.25 | 0.12 | 0.22 | 0.24 | 1.04 |
| 2010 | 0.22 | 0.23 | 0.13 | 0.23 | 0.25 | 1.05 |
| 2011 | 0.21 | 0.23 | 0.12 | 0.22 | 0.25 | 1.03 |
| 2012 | 0.21 | 0.23 | 0.12 | 0.22 | 0.26 | 1.04 |

The value of $\left(\partial t^{\prime} / \partial T\right) /\left(\partial m^{\prime} / \partial Y\right)$ in the previous equation is reported in Table 17. Because of possible measurement errors due to the matching, we assign to the periods of growth (2004 to 2007) the average of these years (i.e., $1.27=[1.3+1.48+0.84+1.47] / 4$ ); to the period with negative growth the average of 2008 and 2009 (i.e., 1.05); and to the recovery period the average of the years 2010 and 2012 (i.e., 1.32).

We keep only individuals that have positive time and income allocations to leisure, home work, transport, food, and other activities to compute the $\alpha$ and the $\beta$. This procedure does induce a significant decrease in the number of observations (most of the observations that are lost are due to the missing values of the wage rate). Nevertheless, the average values of the key variables do not change significantly: the statistics provided in Table 11, which do not contain individuals having 0 allocation to these 5 activities or individuals for whom the wage rate is not observed, remain similar to those of Table 10.

Table 15: Values of $\alpha$

| year | leisure | house <br> work | food | transport | other |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 2004 | 0.44 | 0.71 | 0.53 | 0.62 | 0.58 |
| 2005 | 0.44 | 0.72 | 0.54 | 0.65 | 0.62 |
| 2006 | 0.43 | 0.74 | 0.52 | 0.62 | 0.62 |
| 2007 | 0.46 | 0.75 | 0.60 | 0.67 | 0.67 |
| 2008 | 0.46 | 0.75 | 0.58 | 0.67 | 0.62 |
| 2009 | 0.45 | 0.76 | 0.60 | 0.65 | 0.64 |
| 2010 | 0.48 | 0.76 | 0.58 | 0.66 | 0.64 |
| 2011 | 0.44 | 0.75 | 0.59 | 0.65 | 0.63 |
| 2012 | 0.43 | 0.75 | 0.58 | 0.66 | 0.66 |

Table 16: Values of $\beta$

| year | leisure | house <br> work | food | transport | other |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 2004 | 0.56 | 0.29 | 0.47 | 0.38 | 0.42 |
| 2005 | 0.56 | 0.28 | 0.46 | 0.35 | 0.38 |
| 2006 | 0.57 | 0.26 | 0.48 | 0.38 | 0.38 |
| 2007 | 0.54 | 0.25 | 0.40 | 0.33 | 0.33 |
| 2008 | 0.54 | 0.25 | 0.42 | 0.33 | 0.38 |
| 2009 | 0.55 | 0.24 | 0.40 | 0.35 | 0.36 |
| 2010 | 0.52 | 0.24 | 0.42 | 0.34 | 0.36 |
| 2011 | 0.56 | 0.25 | 0.41 | 0.35 | 0.37 |
| 2012 | 0.57 | 0.25 | 0.42 | 0.34 | 0.34 |

Table 17: $\left(\partial \mathrm{t}^{\prime} / \partial \mathrm{T}\right)$ and $\left(\partial \mathrm{m}^{\prime} / \partial \mathrm{Y}\right)$

| year | $\partial t^{\prime} / \partial T$ | $\partial m^{\prime} / \partial Y$ | $\left(\partial t^{\prime} / \partial T\right) /\left(\partial m^{\prime} / \partial Y\right)$ |
| :--- | :---: | :---: | :---: |
| 2004 | 0.09 | 0.07 | 1.30 |
| 2005 | 0.11 | 0.07 | 1.48 |
| 2006 | 0.08 | 0.10 | 0.84 |
| 2007 | 0.11 | 0.07 | 1.47 |
| 2008 | 0.08 | 0.08 | 1.01 |
| 2009 | 0.08 | 0.07 | 1.10 |
| 2010 | 0.09 | 0.06 | 1.67 |
| 2011 | 0.08 | 0.06 | 1.27 |
| 2012 | 0.11 | 0.10 | 1.02 |

## VII. Opportunity Cost of Time in Aguiar and Hurst (2007)

In their analysis of the substitution between shopping time and expenditures, Aguiar and Hurst (2007, p.1536) define the opportunity cost of time, denoted $\mu$, as

$$
\mu=-Q \frac{\partial p}{\partial s}
$$

where $Q$ is the quantity of a composite market good, $p$ is its price, and s is the time input. Denoting expenditure on $Q$ as $X=p Q$, the opportunity cost can be written as

$$
\mu=-E_{p / s} \frac{\partial X}{\partial s}
$$

where $E_{p / s}$ is the elasticity of $p$ w.r.t. $s$. This equation can be easily interpreted: $E_{p / s}$ indicates the decrease of the price due to an increase of shopping time and $X$ is the amount of expenditure to which the "price gain" applies.

From Aguiar and Hurst (2007, p.1557), $X=16.25 \$$ per week ( $65 \$$ per month) which corresponds to $20 \%$ of the total grocery expenditures reported in the PSID while the mean shopping time, $s$, is 58.29 minutes, or 0.9715 hour, per week for individuals aged 25 to 29 ,
(Aguiar and Hurst, Table 1, p.1540). Furthermore, Aguiar and Hurst (2007, p.1548) find an elasticity between price and the frequency of shopping trips that is between 7 and 10 percent. Thus, the opportunity cost would be $1.67 \$$.

While the opportunity cost derived from Aguiar and Hurst (2007) differs significantly from our estimates and it is $39 \%$ of the federal minimum wage (1993-1995), its evolution with respect to age, that is, the decline of the opportunity cost that begins when individuals reach 35-39 years old (Aguiar and Hurst, 2007, Figure 4), corresponds to the observations made on french surveys by Gardes (2014) with the model that we use in Alpman and Gardes (2015).

## VIII. Reproducing the Results

The results presented in Alpman and Gardes (2015) can be reproduced using the do-file 6. results.do and the Tables presented in this appendix can be obtained by using the do-file 7. appendix.do.

## References

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[^1]:    ${ }^{1}$ See the online Appendix for a detailed description of the dataset, the calibration of the partial correlation value, and the matching procedure.

[^2]:    ${ }^{2}$ The analysis of the substitution between time and money conducted by Mark A. Aguiar and Erik Hurst (2007b) allows to derive an opportunity cost which is quite low ( $39 \%$ lower than the minimum wage rate) and significantly lower than our estimates (see the Online Appendix).

[^3]:    ${ }^{3}$ Using the share of time allocated to each activity (AHK, Table 3, column 1) and the elasticity of time substitution between each activity and the market work time computed by AHK, we calculate the average elasticity of time substitution between the various activities and market work time as $\bar{e}=\sum\left(e_{i} t_{i}\right) /\left(\sum t_{i}\right)$.

[^4]:    ${ }^{1}$ http://www.bls.gov/tus/home.htm (last accessed the 21st of January 2014).

[^5]:    ${ }^{2}$ http://www.bls.gov/cex/home.htm (last accessed the 21st of January 2014).

